



Event 2598326
Run 168486
Wed, 25 Nov 2015 12:51:53

Charm mixing with $D^0 \rightarrow K\pi\pi^0$

Summer Student 2016 - LHCb

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August 30, 2016

About me

- I'm from Italy!
- Bachelor in Physics at University of Bologna.
- Now I'm an undergraduate student in Nuclear and Subnuclear Physics.

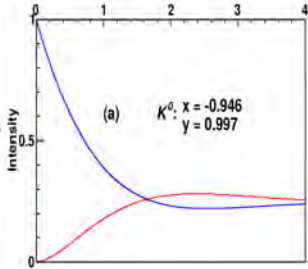
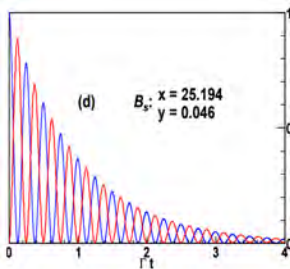


Mixing of neutral mesons

- Flavour and mass eigenstates are different.

$$|P_{1,2}\rangle = p |P^0(t)\rangle \pm q |\bar{P}^0(t)\rangle$$

- This causes $P^0 \leftrightarrow \bar{P}^0$ transitions described by



$$x = \frac{m_1 - m_2}{\Gamma}$$

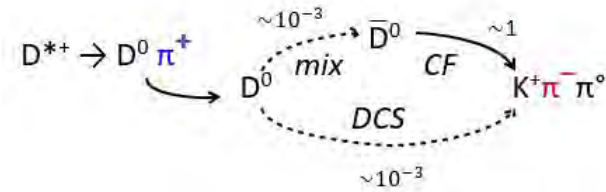
$$y = \frac{\Gamma_1 - \Gamma_2}{2\Gamma}$$

$$|\langle P^0(0) | P^0(t) \rangle|^2 \propto e^{-\Gamma t} [\cosh(y\Gamma t) + \cos(x\Gamma t)]$$

$$|\langle P^0(0) | \bar{P}^0(t) \rangle|^2 \propto e^{-\Gamma t} [\cosh(y\Gamma t) - \cos(x\Gamma t)]$$

How can you measure mixing?

- Look at rate of wrong-sign (WS) $D^{*+} \rightarrow D^0(\rightarrow K\pi\pi^0)\pi^+$ decays with respect to right-sign (RS) decays.



- Time-dependent analysis to disentangle mixing from DCS rate.

$$R(t) = \frac{WS(t)}{RS(t)} \approx R_D + \alpha \sqrt{R_D} y' \left(\frac{t}{\tau} \right) + \frac{x^2 + y^2}{4} \left(\frac{t}{\tau} \right)^2$$

$$y' = y \cos(\delta) - x \sin(\delta)$$

- Most of the sensitivity to mixing comes from the interference term.

Dataset and event selection

Dataset

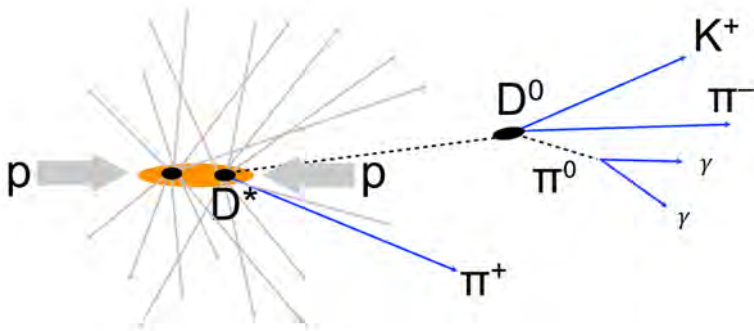
- Started to look at 2012 data

Resolved π^0

$\gamma\gamma$ in different clusters of the ECAL.

Merged π^0

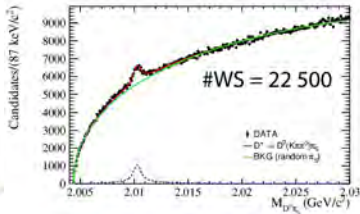
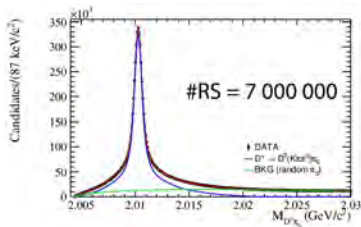
$\gamma\gamma$ in the same cluster of the ECAL.



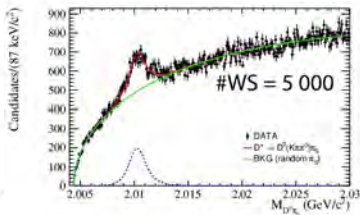
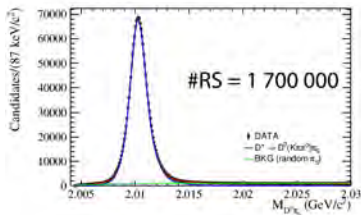
Selected candidates

In addition to provide the flavour at production, the D^* decay also helps to reject lots of background (very small Q-value).

Resolved π^0



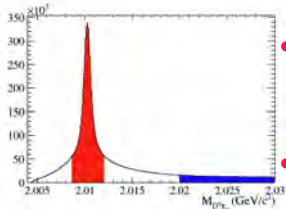
Merged π^0



The **background** is given by correct D^0 but wrong π_s

BDT training

Candidates (87 keV/c²)



- Implement a BDT selection to suppress the large **random- π** background of the **WS** sample.
- Train on **RS** data (more abundant and cleaner)
- Identify input variables that have good **separation** between signal and background but also **low correlation** with $M_{D^0\pi_S}$ and with Dalitz plot.

Resolved π^0 :

Variable	$\langle S^2 \rangle$
$p_T(D^0)$	8.3%
$\cos\theta_{XY}(p_{K\pi} vs p_{\pi^0})$	6.5%
$CL(\pi^0)$	4.8%
$P(\pi_S \rightarrow \pi)$	3.0%
$\log(\text{DTF1_V}\chi^2)$	2.5%

Merged π^0 :

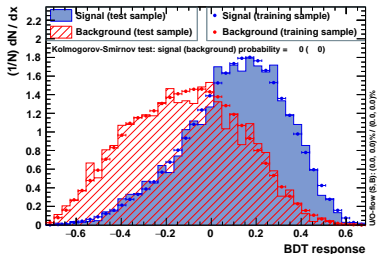
Variable	$\langle S^2 \rangle$
$p_T(\pi_S)$	7.4%
$P(\pi_S \rightarrow \pi)$	6.7%
$\rho(\pi_S)$	1.6%
$\log(\text{DTF1_V}\chi^2)$	0.1%

BDT distribution and ROC curve

Resolved π^0 :

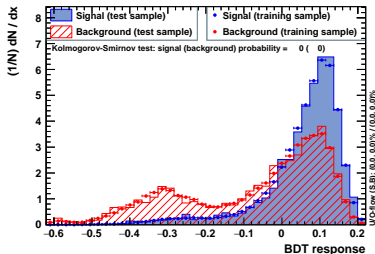
Merged π^0 :

TMVA overtraining check for classifier: BDT



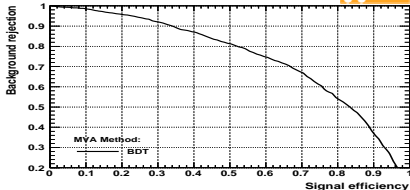
BDT separation: 0.184

TMVA overtraining check for classifier: BDT

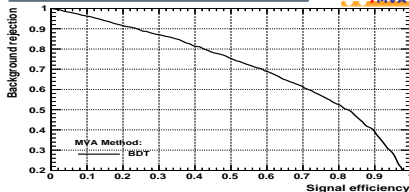


BDT separation: 0.151

Background rejection versus Signal efficiency

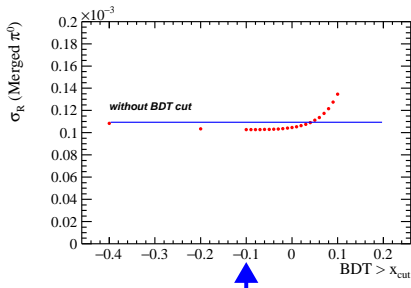
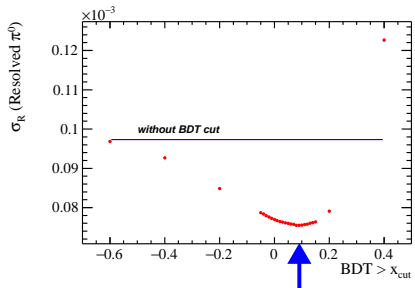


Background rejection versus Signal efficiency



BDT optimization

Choose the BDT cut that minimises the uncertainty of the time integrated WS/RS ratio.

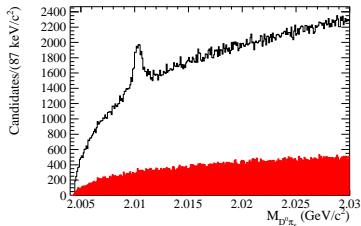
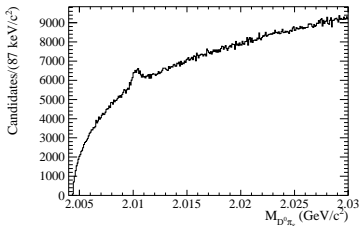


20% improvement in precision for candidates with resolved π^0 , while only a marginal gain for the merged sample.

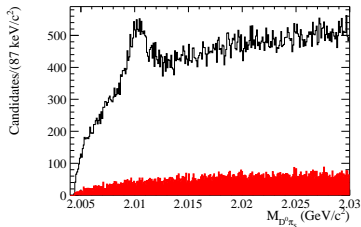
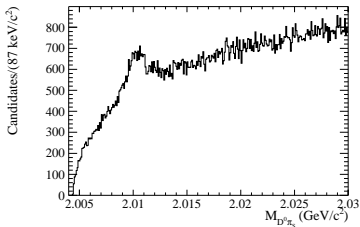
Overlap between WS and RS candidates

Additional background reduction when removing WS candidates whose D^0 is also used to reconstruct a good RS candidate.

Resolved
 π^0



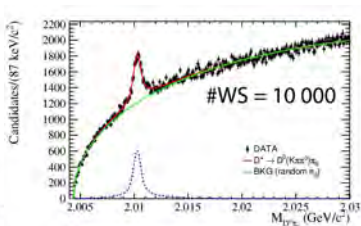
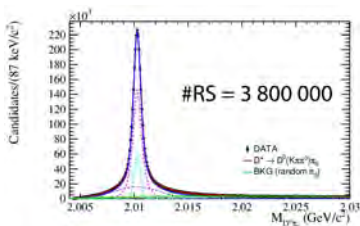
Merged
 π^0



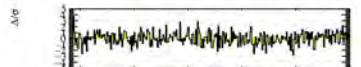
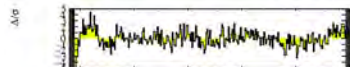
Overlapped WS candidates

Final samples

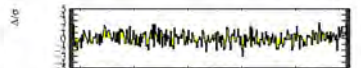
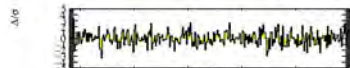
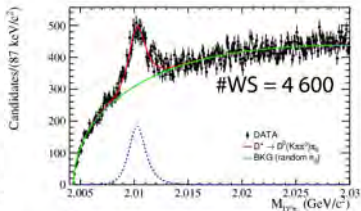
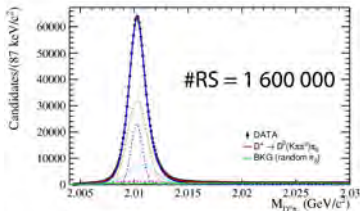
Resolved



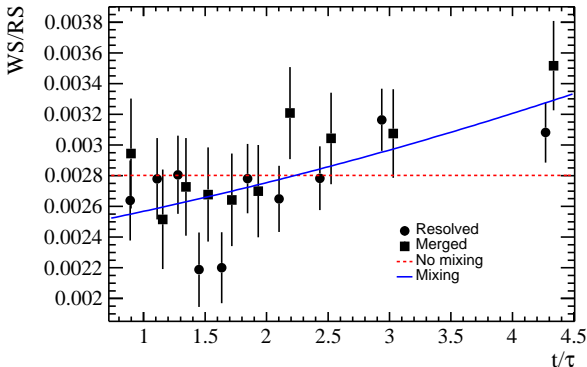
In WS fitting,
the signal shape
is fixed with RS
values.



Merged



Time-dependent WS/RS ratio



No mixing:

Parameter	Fit result
R_D	$(XX \pm 0.0058)\%$

$$\chi_0^2/NDF = 30.3/19$$

Mixing:

Parameter	Fit result
R_D	$(XX \pm 0.034)\%$
$\alpha y'$	$(XX \pm 0.62)\%$
$1/4(x^2 + y^2)$	$(XX \pm 0.0055)\%$

$$\chi_2^2/NDF = 16.1/17$$

$$\Delta\chi^2/\Delta_{NDF} \rightarrow 3.3\sigma$$

$$R(t) \approx R_D + \alpha\sqrt{R_D}y' \left(\frac{t}{\tau}\right) + \frac{x^2 + y^2}{4} \left(\frac{t}{\tau}\right)^2$$

Conclusion and future projects

First attempt to measure $D^0 - \bar{D}^0$ mixing using $D^0 \rightarrow K\pi\pi^0$ decays at LHCb:

- Results seem to be competitive with other measurements of these decays, but will have a marginal impact on the world average.
- Could increase sensitivity with more statistics and/or a time-dependent Dalitz-plot analysis.
- **Left to be done:** look at Run 2 data and particularly at the 2016 sample (higher cross-section and dedicate triggers)

Year	N_{RS}/L (fb)
2012	2'700'000
2015	6'400'000
2016	?

Thank you!

D^0 mixing formalism

- Eigenstate can have different masses and decay width

$$|D_{1,2}\rangle = p |D^0(t)\rangle \pm q |\bar{D}^0(t)\rangle$$

$$x = \frac{m_1 - m_2}{\Gamma} \quad y = \frac{\Gamma_1 - \Gamma_2}{2\Gamma} \quad \text{with } \Gamma = \frac{\Gamma_1 + \Gamma_2}{2}$$

- The time evolution is described by

$$|D^0(t)\rangle = g_+ |D^0(0)\rangle + \frac{q}{p} g_- |\bar{D}^0(0)\rangle$$

$$|\bar{D}^0(t)\rangle = g_+ |\bar{D}^0(0)\rangle + \frac{q}{p} g_- |D^0(0)\rangle$$

with

$$g_+(t) = e^{-iMt - \Gamma t/2} \cos\left(\frac{x}{2}\Gamma t - \frac{iy}{2}\Gamma t\right)$$

and

$$g_-(t) = e^{-iMt - \Gamma t/2} i \sin\left(\frac{x}{2}\Gamma t - \frac{iy}{2}\Gamma t\right)$$

Dataset and event selection

Dataset

- 2012 sample candidates reconstructed using DstarToHHPi0_Kpipi0_R.Line and DstarToHHPi0_Kpipi0_M.Line from Stripping21, Stripping24 and Stripping26.

Decay Tree Fitter

- constraining the $D^0\pi_S$ vertex to the primart vertex
- constraining the π^0 mass to the PDG value.

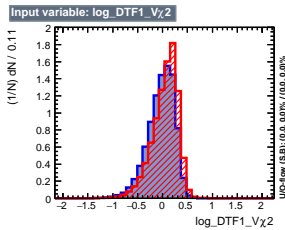
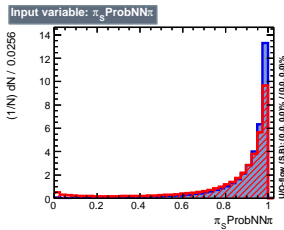
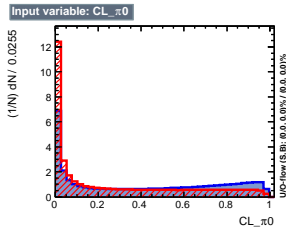
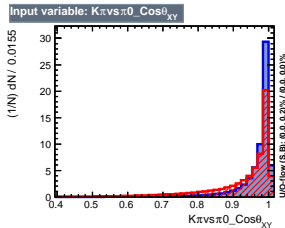
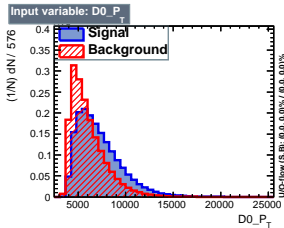
Additional cuts

- $KPID_K > 8$;
- $\pi PID_K < -5$;
- $D^0 IP \chi^2 < 9$.

- $1825 < M_{D^0} < 1910$ MeV (resolved π^0)
- $1800 < M_{D^0} < 1950$ MeV (merged π^0)

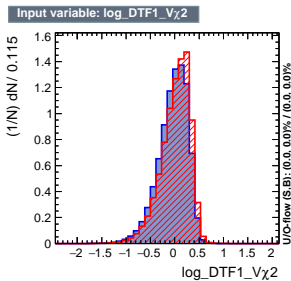
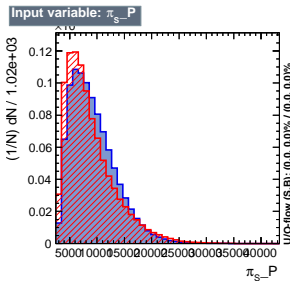
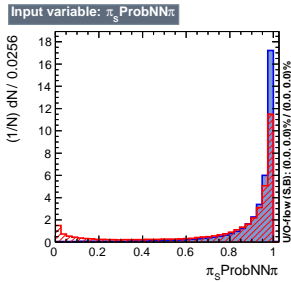
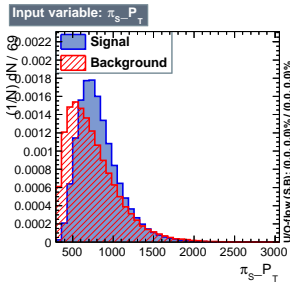
BDT training variables distributions

(Resolved)



BDT training variables distributions

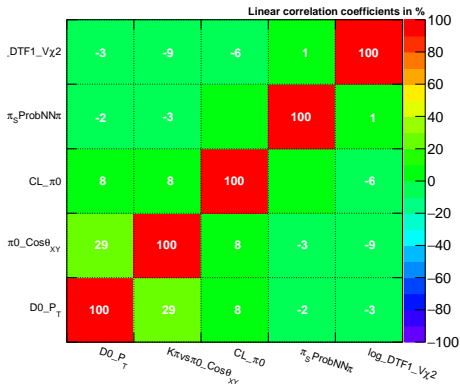
(Merged)



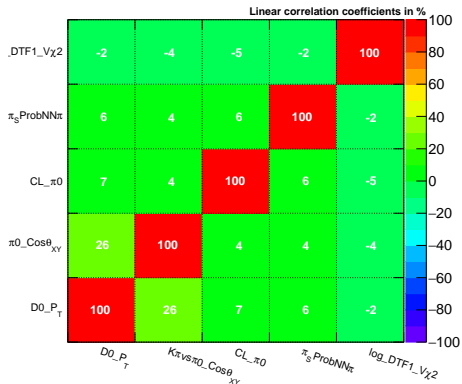
BDT training variables correlation matrices

(Resolved)

Correlation Matrix (background)



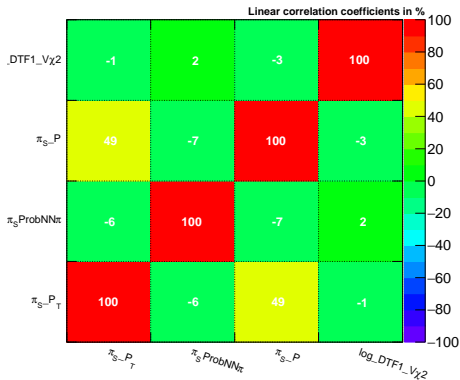
Correlation Matrix (signal)



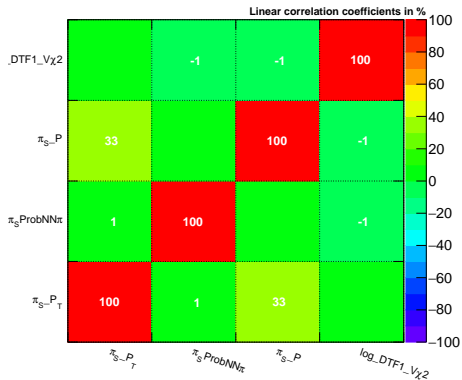
BDT training variables correlation matrices

(Merged)

Correlation Matrix (background)



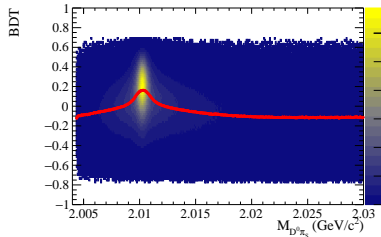
Correlation Matrix (signal)



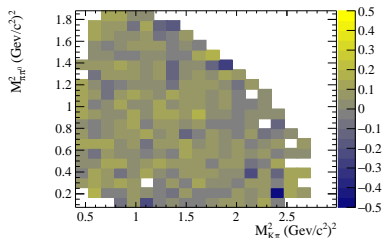
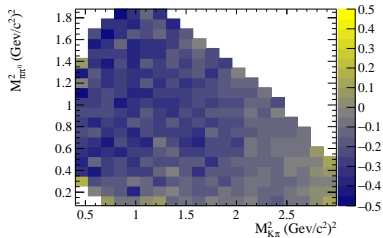
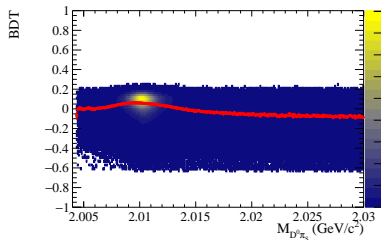
Low correlation of BDT

check with $M_{D^0\pi_S}$ and Dalitz plot

Resolved π^0 :



Merged π^0 :



The fit

- The **signal** is parametrized with a linear combination of a Johnson SU distribution and three Gaussian distributions.

Johnson SU: transformation of the normal distribution

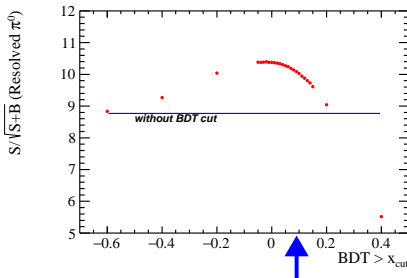
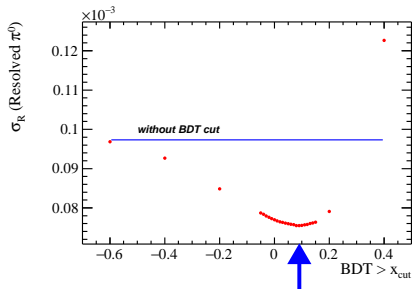
$$z = \gamma + \delta \sinh^{-1} \left(\frac{x - \xi}{\lambda} \right) \text{ where } z \sim \mathcal{N}(0, 1).$$

- The **background**, given by a random soft pion π_S , is parametrized using the function:

$$(m - m_0)^\alpha e^{\beta(m - m_0)} \text{ with } m = M_{D^0 \pi_S} \text{ and } m_0 = m_{D^0} + m_\pi.$$

BDT optimization

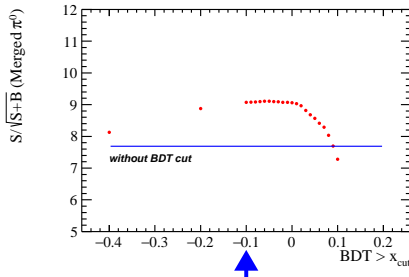
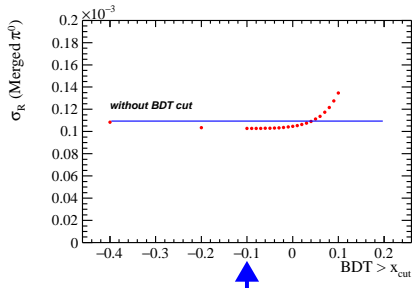
Resolved



→ I found the minimum uncertainty for $BDT_{cut} = 0.09$

BDT optimization

Merged



→ I chose $BDT_{cut} = -0.1$

The uncertainty has not improved but the significance has.