



PRECISION MEASUREMENT OF THE CP-VIOLATING PHASE φ_s AT LHCb

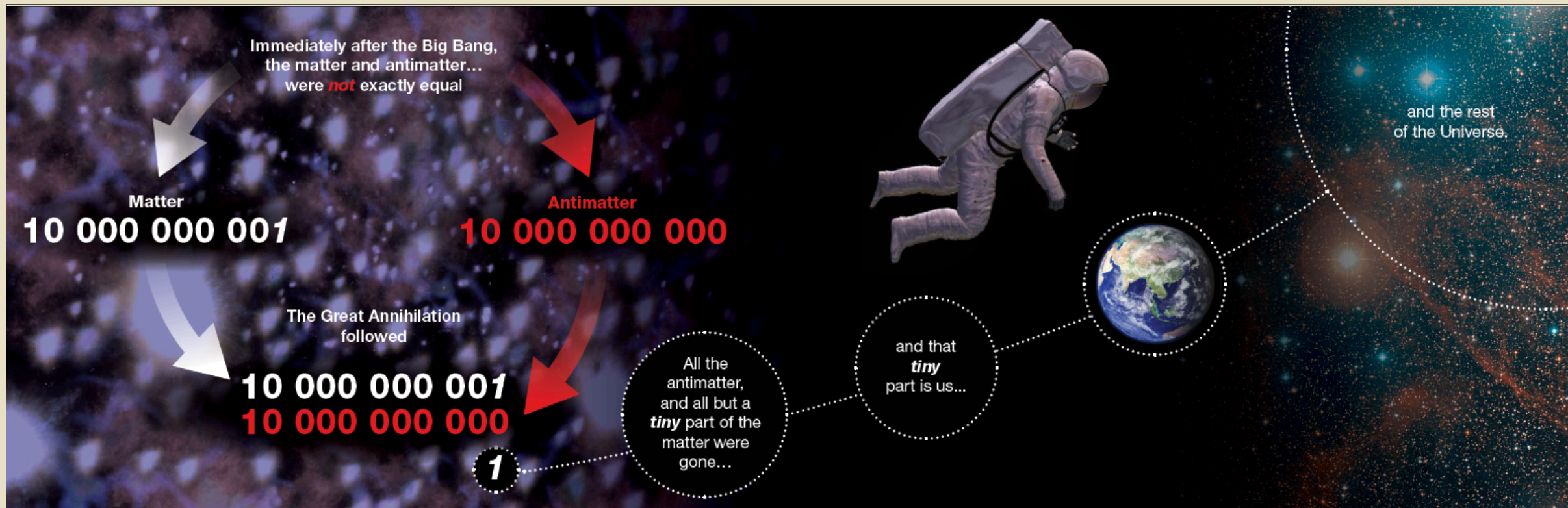


Francesca Dordei, INFN - Cagliari (IT)
On behalf of the LHCb Collaboration



CERN SEMINAR

CERN, 7th May 2019



Sakharov Conditions

[A. D. Sakharov, JETP Lett.5, 24 (1967)]

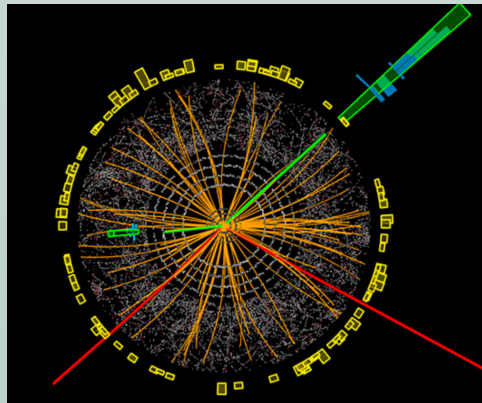
[Rev. Mod. Phys. 88, 015004 (2016)]

1. Baryon Number Violation
2. **C and CP violation**
3. Interactions out of thermal equilibrium

- Baryon asymmetry of the Universe: $n_b/n_\gamma \sim 10^{-10}$
- CP violation in the SM does not account for it
- There must be **New Physics** and **new sources of CP violation**

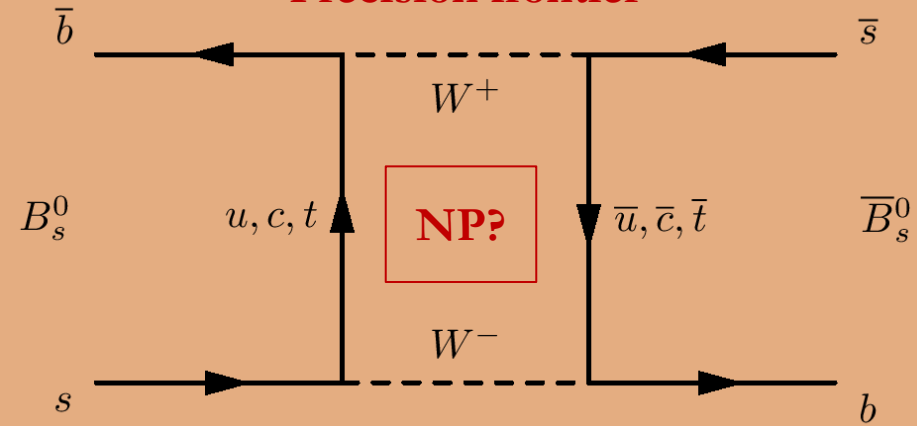
How to find New Physics at the LHC

High energy frontier



Direct observation: require $E > mc^2$ for direct production \rightarrow few TeV

Precision frontier

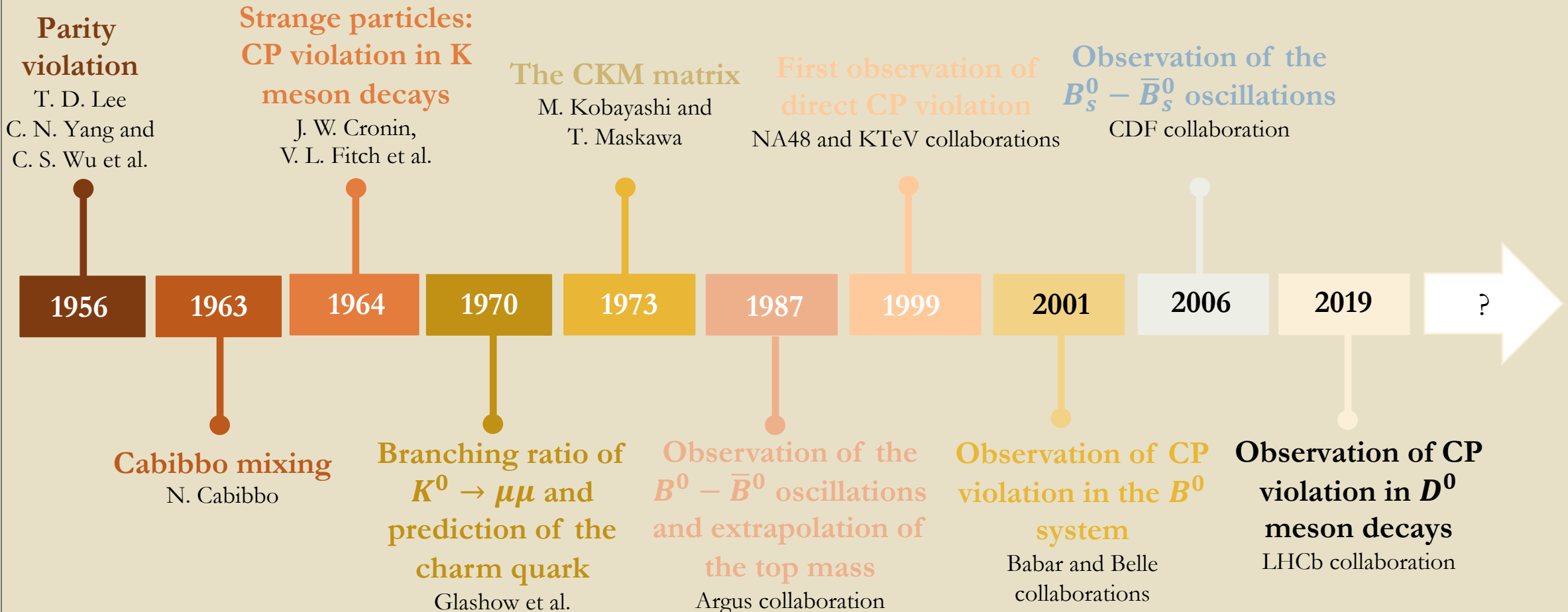


Indirect effects: new particle effect loop processes \rightarrow up to $O(100 \text{ TeV})$

See e.g. [L. Silvestrini: arXiv.1905.00798]

- Most HEP direct discoveries have been preceded by indirect evidence first!
- If we don't see New Physics directly at the LHC can indirect evidence guide us where to look (or what to build) next?

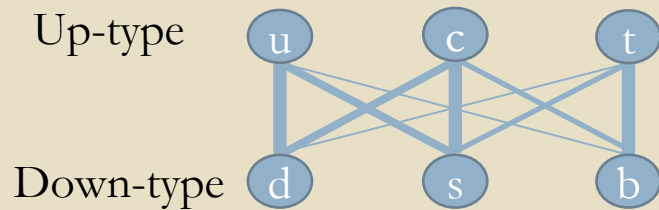
Flavour physics: a history of success



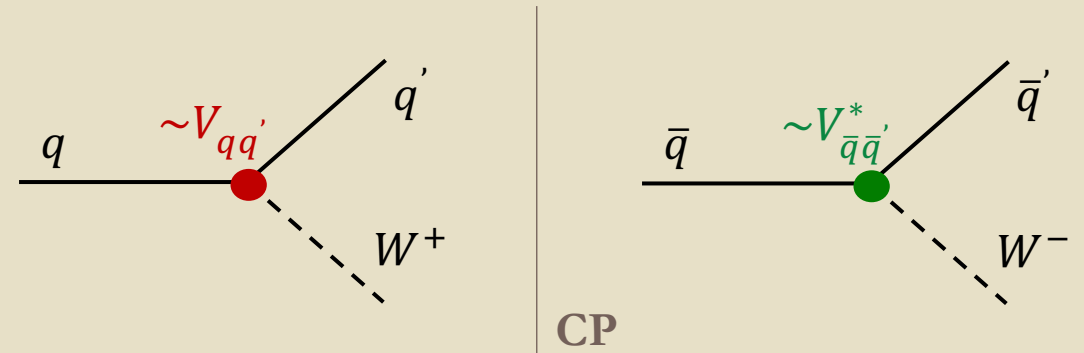
Quark transitions

In the SM quarks can change flavour by emission of a W^\pm boson

- So must also change charge
(i.e. from up-type to down-type or vice-versa)



- The probability for such a transition is governed by the elements of the 3×3 unitary **CKM matrix**



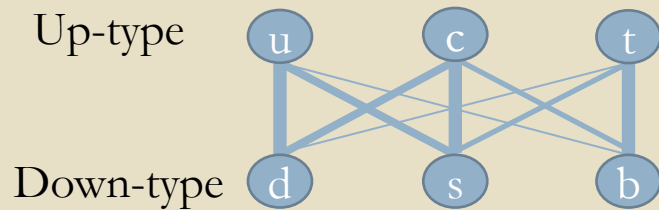
$$\begin{array}{c} \text{Mass eigenstates} \end{array} \begin{pmatrix} d \\ s \\ b \end{pmatrix} = \underbrace{\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}}_{\text{Cabibbo-Kobayashi-Maskawa Matrix } (V_{\text{CKM}})} \cdot \begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} \begin{array}{c} \text{Flavour eigenstates} \end{array}$$

3x3 unitary complex matrix

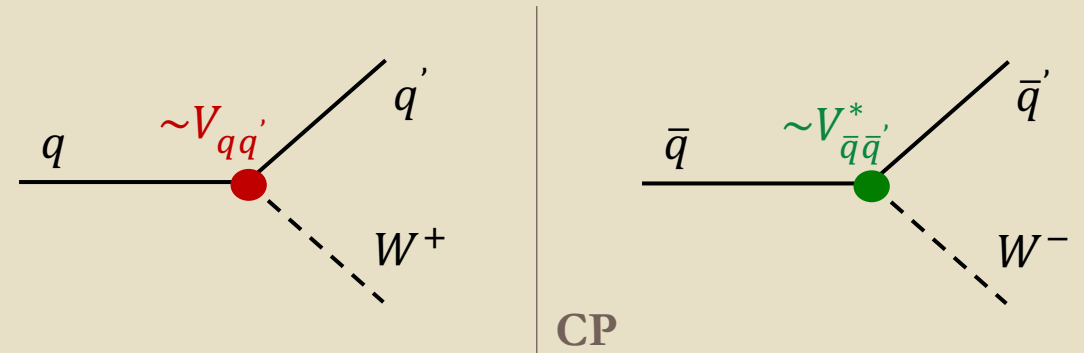
Quark transitions II

In the SM quarks can change flavour by emission of a W^\pm boson

- So must also change charge
(i.e. from up-type to down-type or vice-versa)



- The probability for such a transition is governed by the elements of the 3×3 unitary **CKM matrix**
- It exhibits a clear hierarchy



$$\begin{array}{c} \text{Mass eigenstates} \end{array} \begin{pmatrix} d \\ s \\ b \end{pmatrix} \sim \underbrace{\begin{pmatrix} 1 & 0.2 & 0.004 \\ 0.2 & 1 & 0.04 \\ 0.008 & 0.04 & 1 \end{pmatrix}}_{\text{Cabibbo-Kobayashi-Maskawa Matrix } (V_{\text{CKM}})} \cdot \begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} \begin{array}{c} \text{Flavour eigenstates} \end{array}$$

3x3 unitary complex matrix

CP violation in the Standard Model

- **Wolfenstein parameterisation:** CKM matrix described by 4 parameters λ, A, ρ, η

$$\begin{aligned}
 V_{CKM} &= \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} |V_{ud}| & |V_{us}| & |V_{ub}|e^{-i\gamma} \\ -|V_{cd}| & |V_{cs}| & |V_{cb}| \\ |V_{td}|e^{-i\beta} & -|V_{ts}|e^{i\beta_s} & |V_{tb}| \end{pmatrix} \\
 &= \underbrace{\begin{pmatrix} 1 - \lambda^2/2 - \lambda^4/8 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda + A^2\lambda^5 [1 - 2(\rho + i\eta)]/2 & 1 - \lambda^2/2 - \lambda^4(1 + 4A^2)/8 & A\lambda^2 \\ A\lambda^3 [1 - (\rho + i\eta)(1 - \lambda^2/2)] & -A\lambda^2 + A\lambda^4 [1 - 2(\rho + i\eta)]/2 & 1 - A^2\lambda^4/2 \end{pmatrix}}_{\text{Wolfenstein parameterisation}} + \mathcal{O}(\lambda^6)
 \end{aligned}$$

$$\lambda = \sin(\theta_c) \approx 0.22, \quad \eta \approx 0.3$$

- 3 quark generations allow for a CP violating phase: η is the **only CPV source in the SM**
- But η is small \rightarrow where did the anti-matter go?
- Test the consistency of CKM picture within SM experimentally

Unitarity triangle

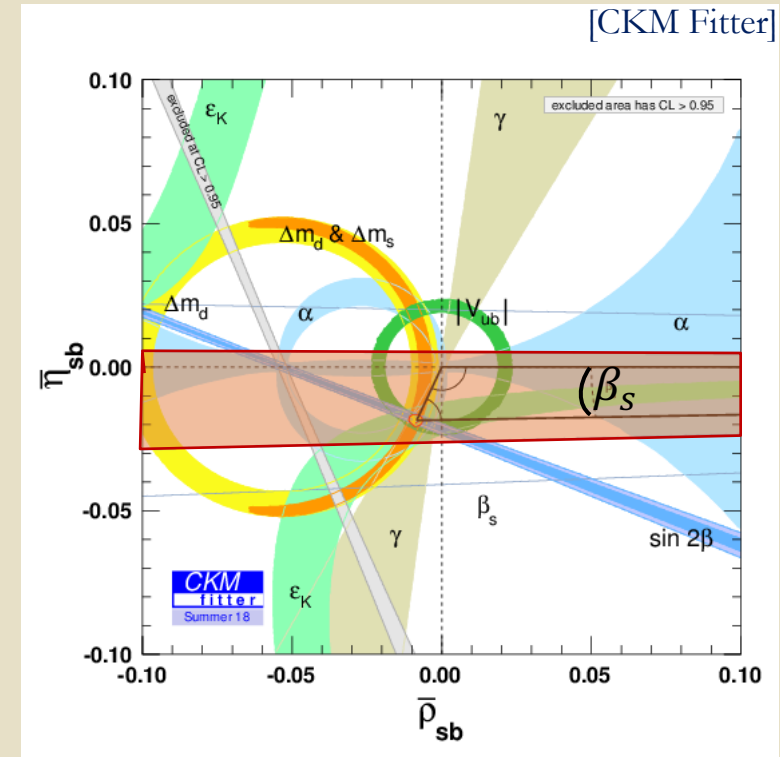
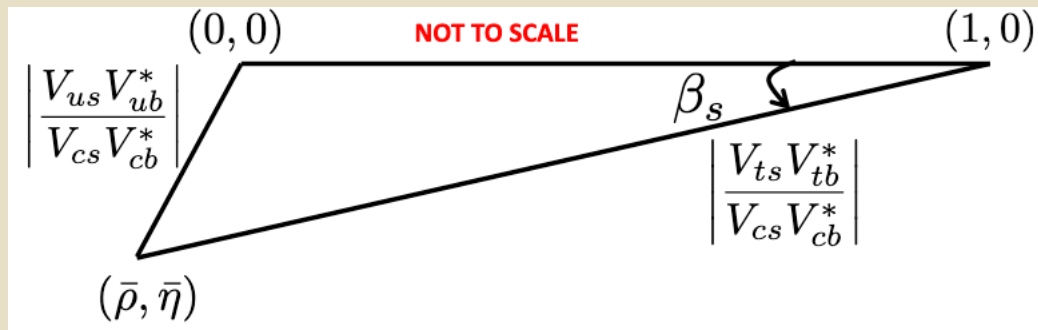
Unitarity $V_{CKM} \cdot V_{CKM}^\dagger = I$ imposes several conditions which give rise to “unitarity” triangles

$$V_{CKM} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

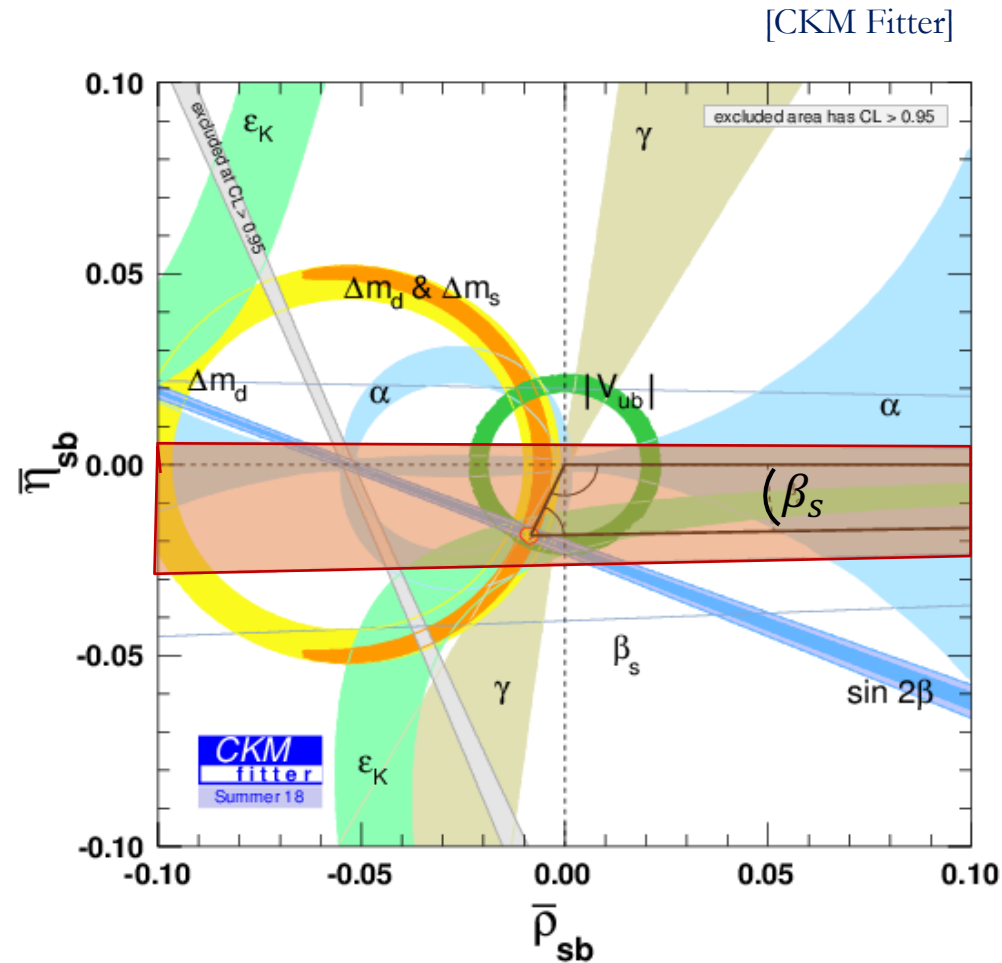


Unitarity condition from 2nd and 3rd columns:

$$V_{us}V_{ub}^* + V_{cs}V_{cb}^* + V_{ts}V_{tb}^* = 0$$



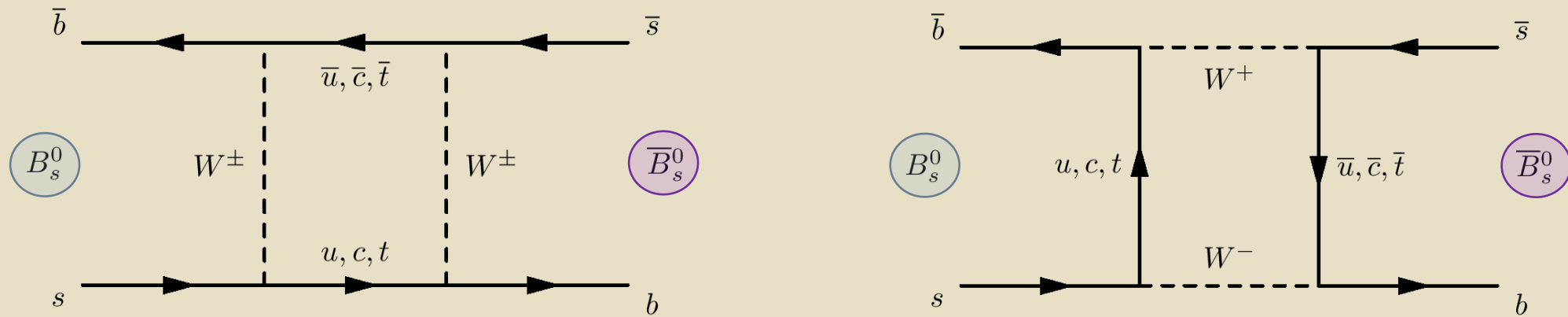
The CKM fit: a lot of room for NP



- The SM works so remarkably well that we have to make **more and more precise measurements**
- **O(20%) NP contributions to most loop-level processes (FCNC) are still allowed**
 - See e.g. J. Charles et al arXiv:1309.2293 [hep-ph]
- Interesting comparison of tree-level vs higher-order observables. In the latter, unknown particles could contribute.

B flavour mixing

- Neutral B_s^0 mesons can **oscillate** between their particle and anti-particle states



The physical mass eigenstates (L,H) are admixtures of the weak eigenstates:

$$|B_L\rangle = p |B_s^0\rangle + q |\bar{B}_s^0\rangle$$

$$|B_H\rangle = p |B_s^0\rangle - q |\bar{B}_s^0\rangle$$

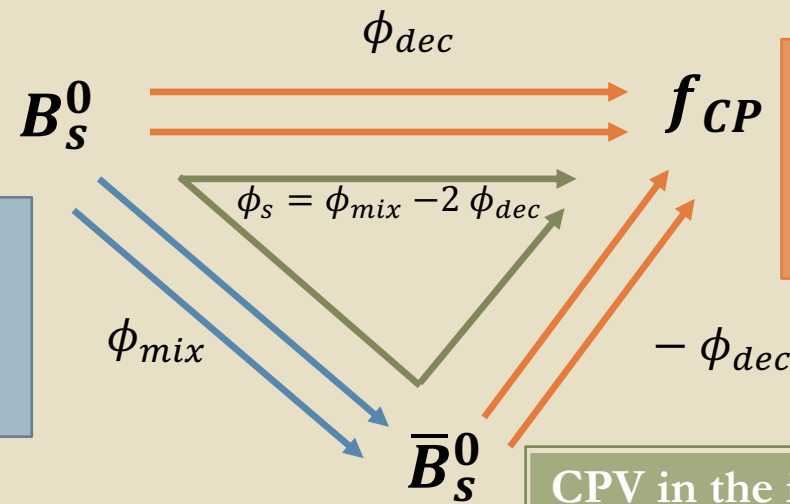
- with **mass difference** $\Delta m = m_H - m_L$ and **decay-width difference** $\Delta\Gamma = \Gamma_L - \Gamma_H$
- flavor at production ($t=0$) could be different from flavour at decay time t

CP violation

- Must have **two interfering amplitudes** with different strong (δ) and weak (φ) phases
- For a B_s^0 decay to a **CP eigenstate** f , CP-violating effects depend on $\lambda_f = \frac{q \bar{A}_f}{p A_f}$

CPV in mixing

- $P(B_s^0 \rightarrow \bar{B}_s^0) \neq P(\bar{B}_s^0 \rightarrow B_s^0)$
- $|q/p| \neq 1$



CPV in decay

- $P(B_s^0 \rightarrow f) \neq P(\bar{B}_s^0 \rightarrow f)$
- $|\bar{A}_f/A_f| \neq 1$

CPV in the interference between decay and mixing

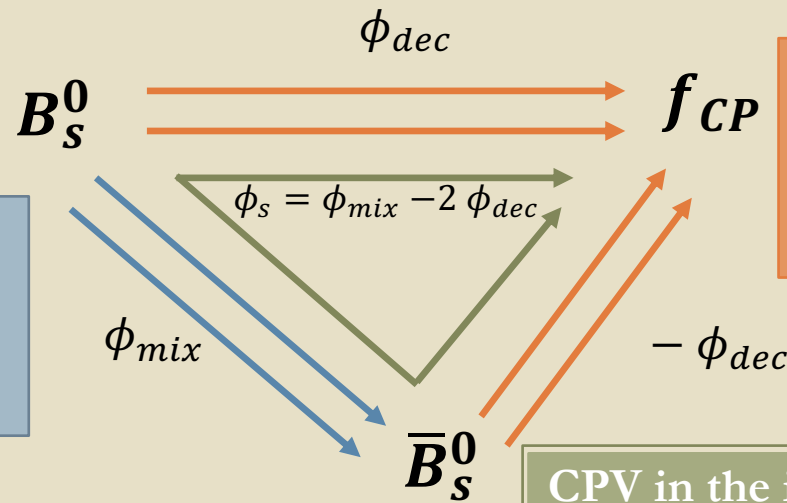
- $P(B_s^0 \rightarrow f) \neq P(B_s^0 \rightarrow \bar{B}_s^0 \rightarrow f)$
- $\arg(\lambda_f) \neq 0$

CP violation

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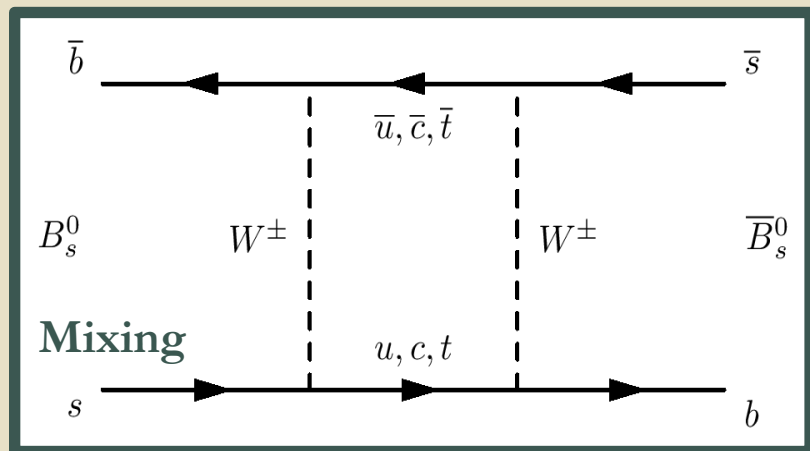
CPV in the interference between decay and mixing

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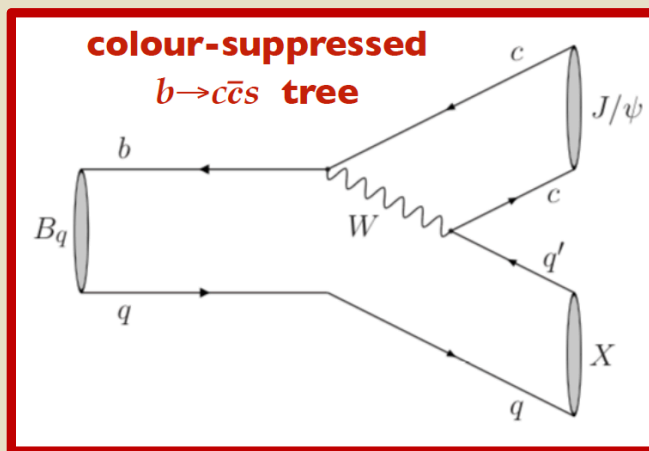
Today new results on this CPV

CPV in B_S^0 mixing and decays

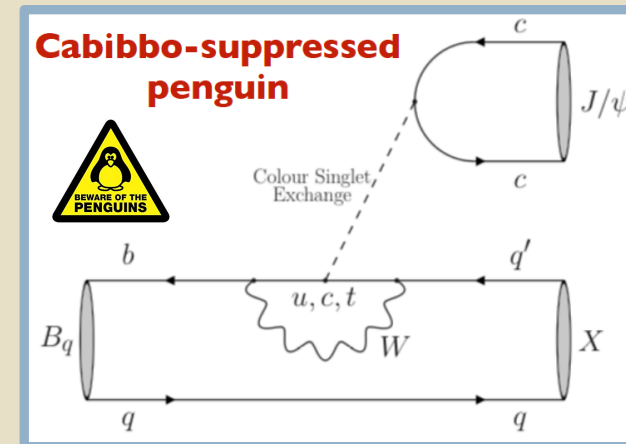
[Fleischer, PRD 60 (1999) 073008]
 [Ciuchini et al., PRL 95 (2005) 221804]
 [Faller et al., PRD 79 (2009) 014005, 014030]
 [Jung, PRD 86 (2012) 053008]
 [Jung, Schacht, PRD 91 (2015) 034027]
 [De Bruyn, Fleischer, JHEP 03 (2015) 145]



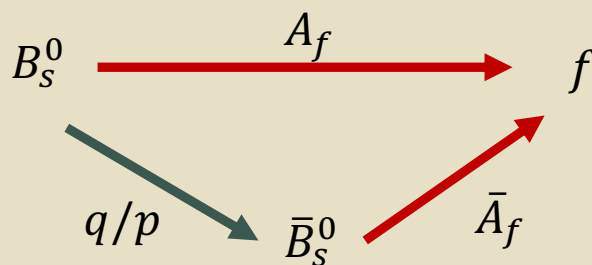
$$B_{H,L} = pB_S^0 \pm q\bar{B}_S^0$$



Golden mode: $B_S^0 \rightarrow J/\psi(\rightarrow \mu\mu)\phi(\rightarrow KK)$



+ smaller weak exchange (E) and penguin annihilation (PA) diagrams



MEASURABLE PHASE

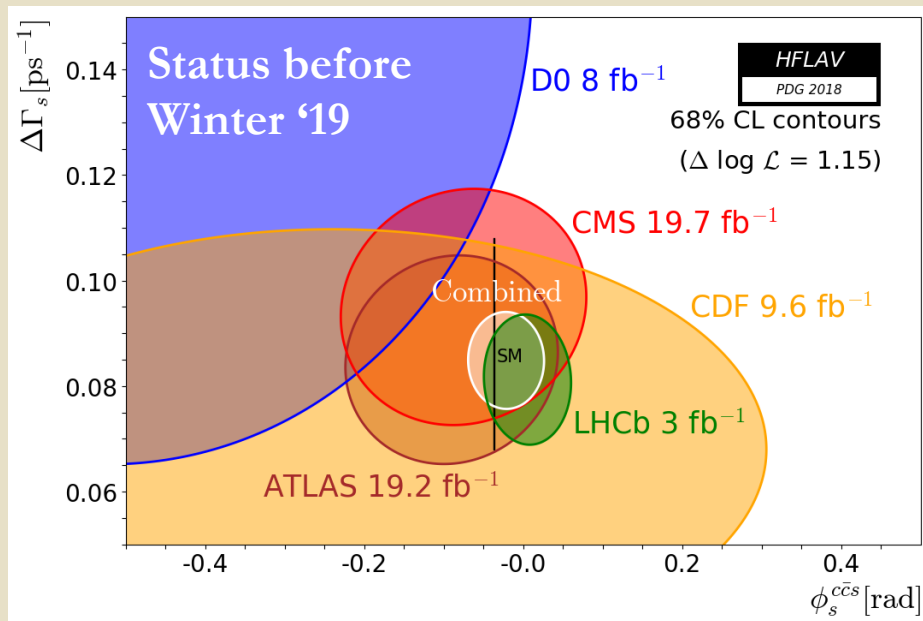
CPV due to mixing-decay interference

$$\varphi_s = \arg(\lambda_{f(cc\bar{s})}) = \underbrace{\varphi_s^{SM}}_{-2\beta_s} + \Delta\varphi_s^{peng} + \Delta\varphi_s^{NP}$$

GLOBAL FIT PREDICTION

$$\varphi_s^{SM} = -0.03686_{-0.00068}^{+0.00096} \text{ rad} \quad [\text{CKMFitter}]$$

φ_s before Winter 2019



GLOBAL FIT PREDICTION

$$\varphi_s^{SM} = -0.03686_{-0.00068}^{+0.00096} \text{ rad}$$

[CKMFitter]

- Golden channel exploited by LHCb, ATLAS, CMS: $B_s^0 \rightarrow J/\psi\phi$
- LHCb also measured many other channels
- World average (dominated by LHCb) consistent with predictions;
- Exp. uncertainty (31 mrad) almost a factor of 30 larger than uncert. of indirect determination when penguin pollution is ignored.

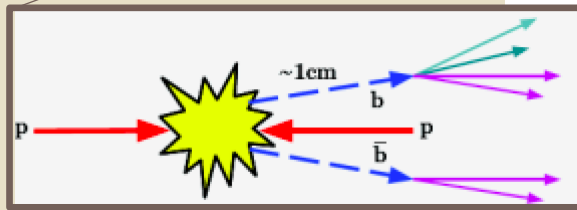
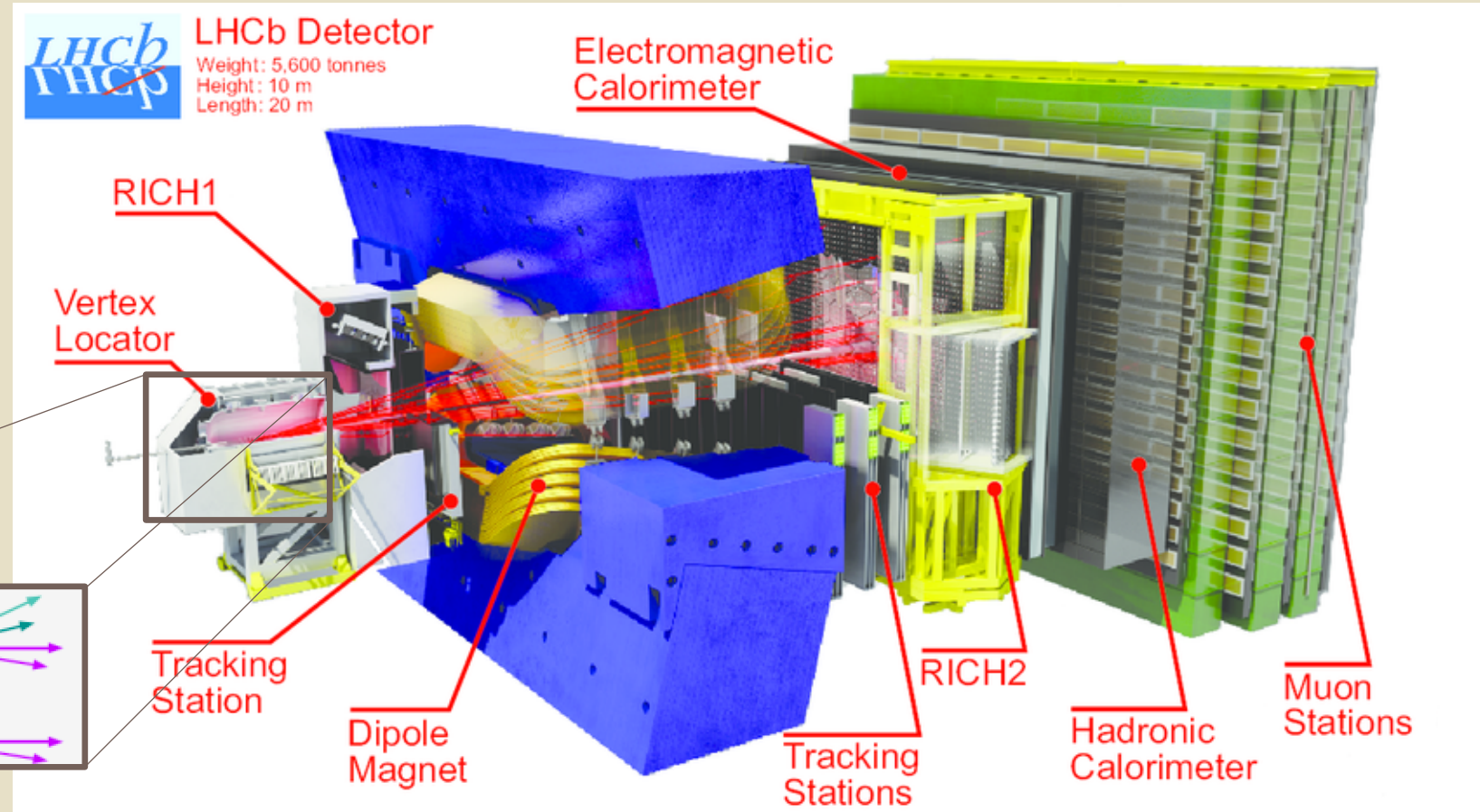
$$\varphi_s^{c\bar{c}s} = -0.021 \pm 0.031 \text{ rad}$$

$$\Delta\Gamma_s = 0.090 \pm 0.005 \text{ ps}^{-1}$$

[HFLAV 2018]

The LHCb detector

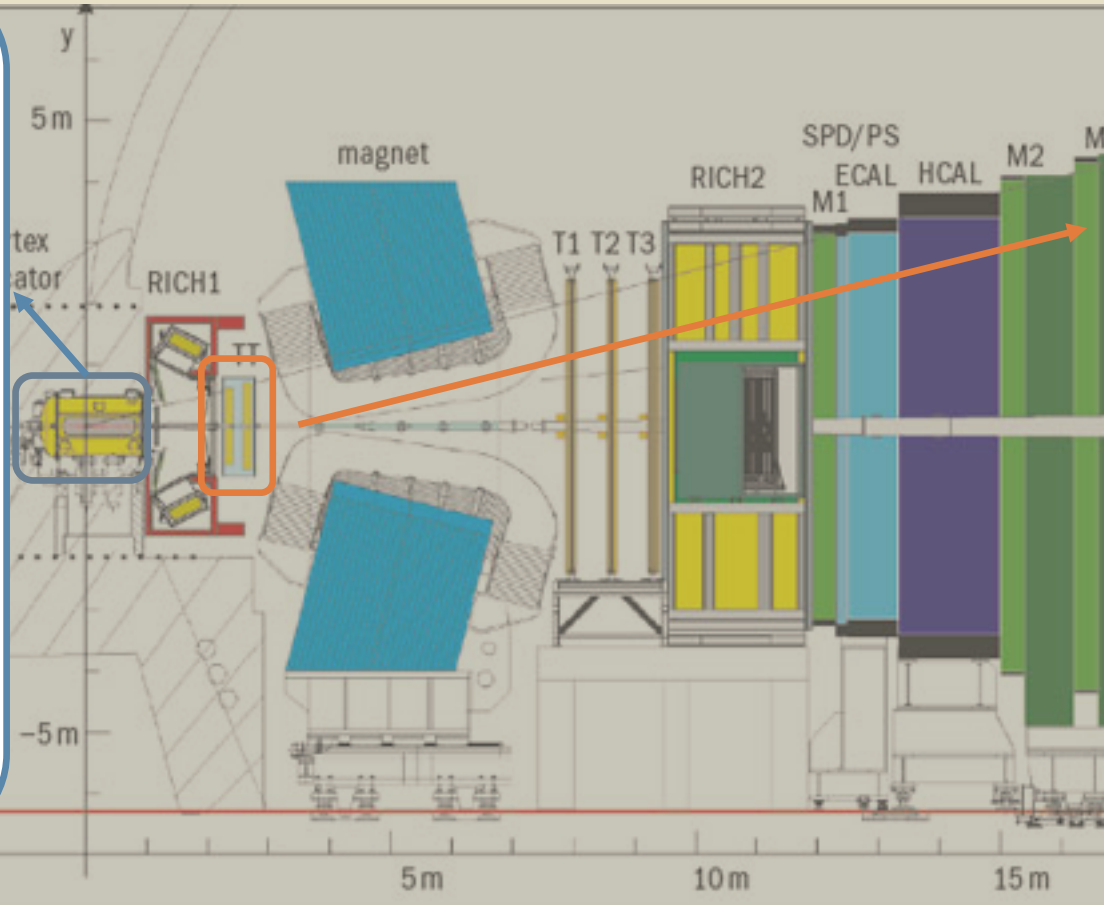
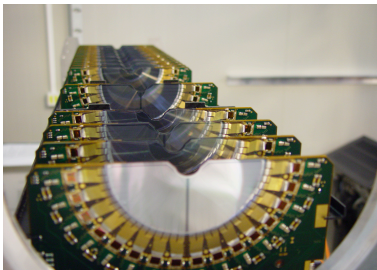
- Single arm spectrometer designed for high precision flavour physics measurements
- Pseudorapidity range $\eta \in [2,5]$



The tracker upstream the magnet

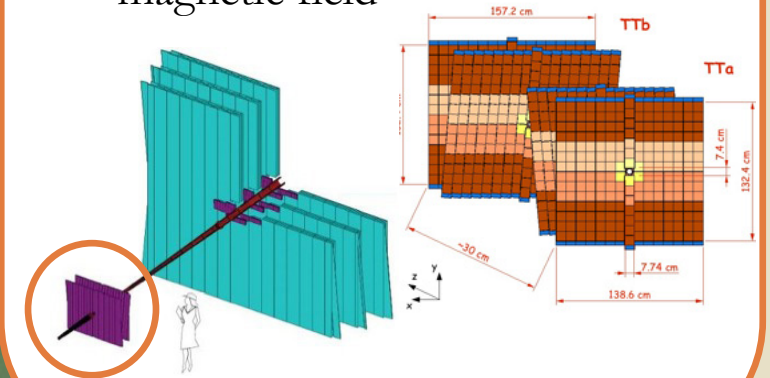
The VERtEX LOcator

- 42 silicon micro-strip stations with R- Φ sensors
 - 2 retractable halves, 7 mm from beam.
- Decay time res ~ 45 fs
IP res $\sim 20 \mu\text{m}$



Tracker Turicensis (TT)

- Four planes ($0^\circ, +5^\circ, -5^\circ, 0^\circ$) of silicon micro-strip sensor
- Total silicon area of 8 m^2
- Already sensitive to the magnetic field



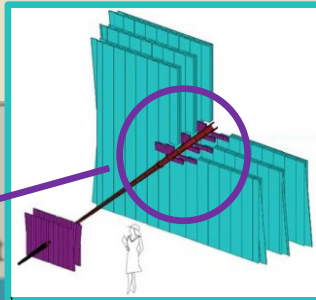
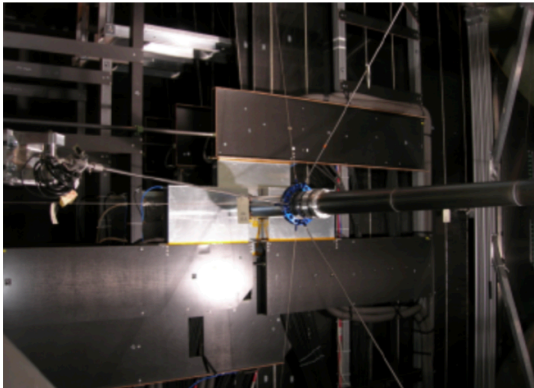
Performance of the LHCb Vertex Locator
JINST 9 (2014) 09007

LHCb Detector Performance
Int. J. Mod. Phys. A30 (2015) 1530022

The tracker downstream the magnet

The Inner Tracker (IT)

- Three stations each with four planes of silicon micro-strip sensors around the beam pipe
- Total silicon area of 4.2 m²



Outer Tracker (OT)

- Three stations each with four planes (0°, +5°, -5°, 0°) of straw tubes
- Gas Mixture Ar/CO₂/O₂ (70/28.5/1.5)



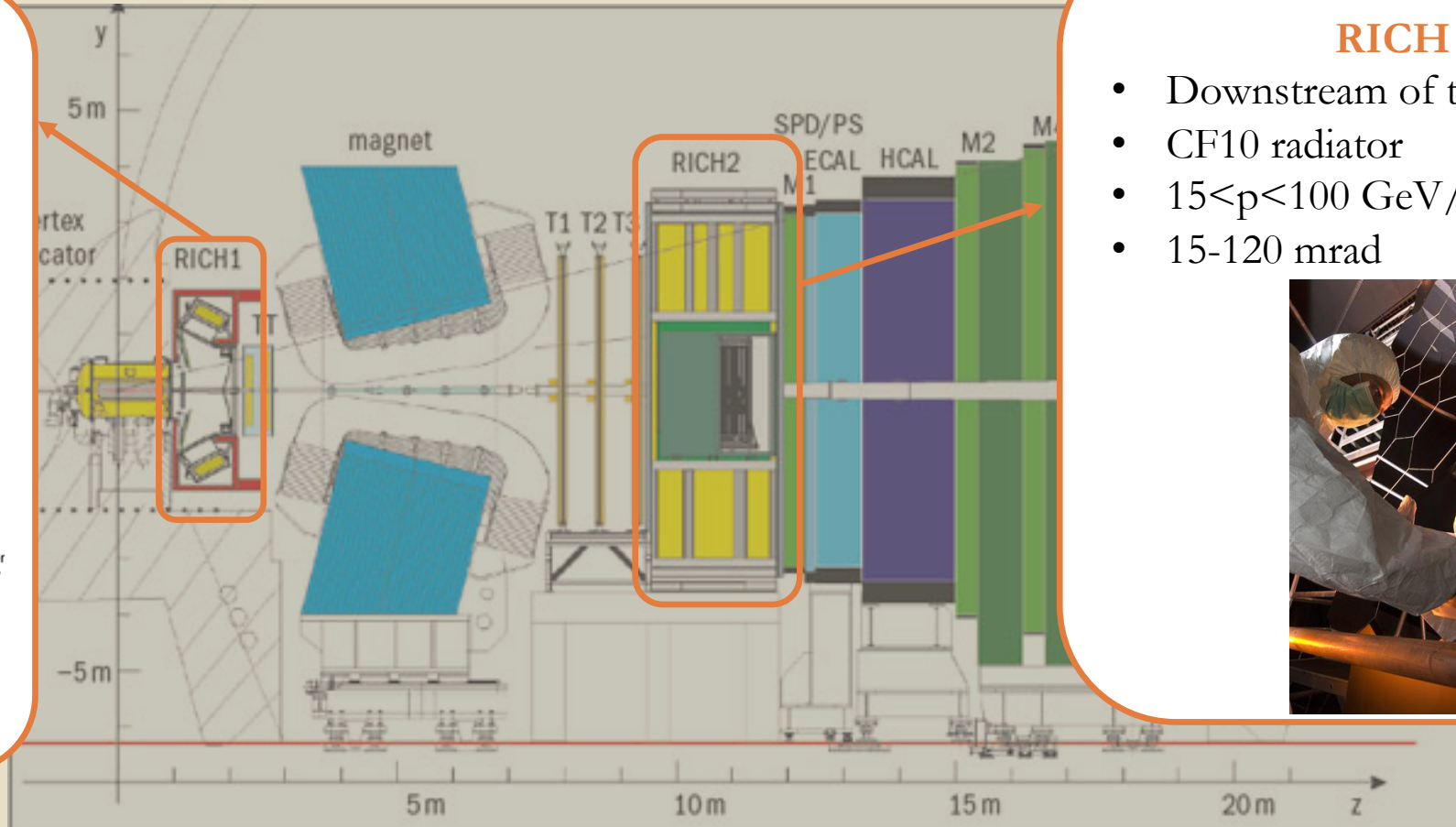
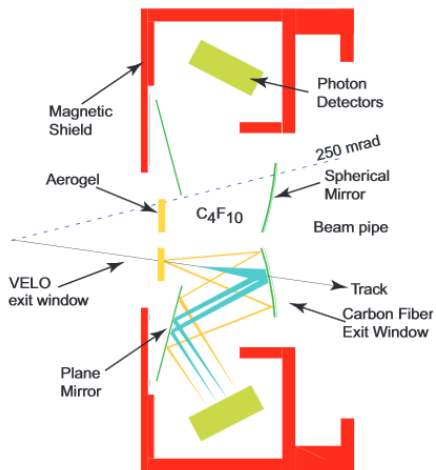
Tracking performances

- $\Delta p/p = 0.4-0.6\%$ @ 5-100 GeV/c
 - Tracking eff. > 96%
- Mass res. ~ 8 MeV/c² for B \rightarrow J/ ψ X decays with constraint on J/ ψ mass

Particle identification

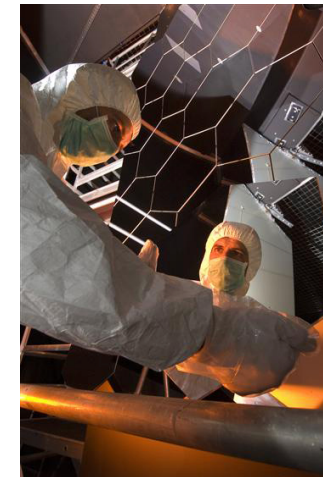
RICH 1

- Upstream of the magnet
- C_4F_{10} radiator
- $2 < p < 40 \text{ GeV}/c$



RICH 2

- Downstream of the magnet
- CF10 radiator
- $15 < p < 100 \text{ GeV}/c$
- 15-120 mrad

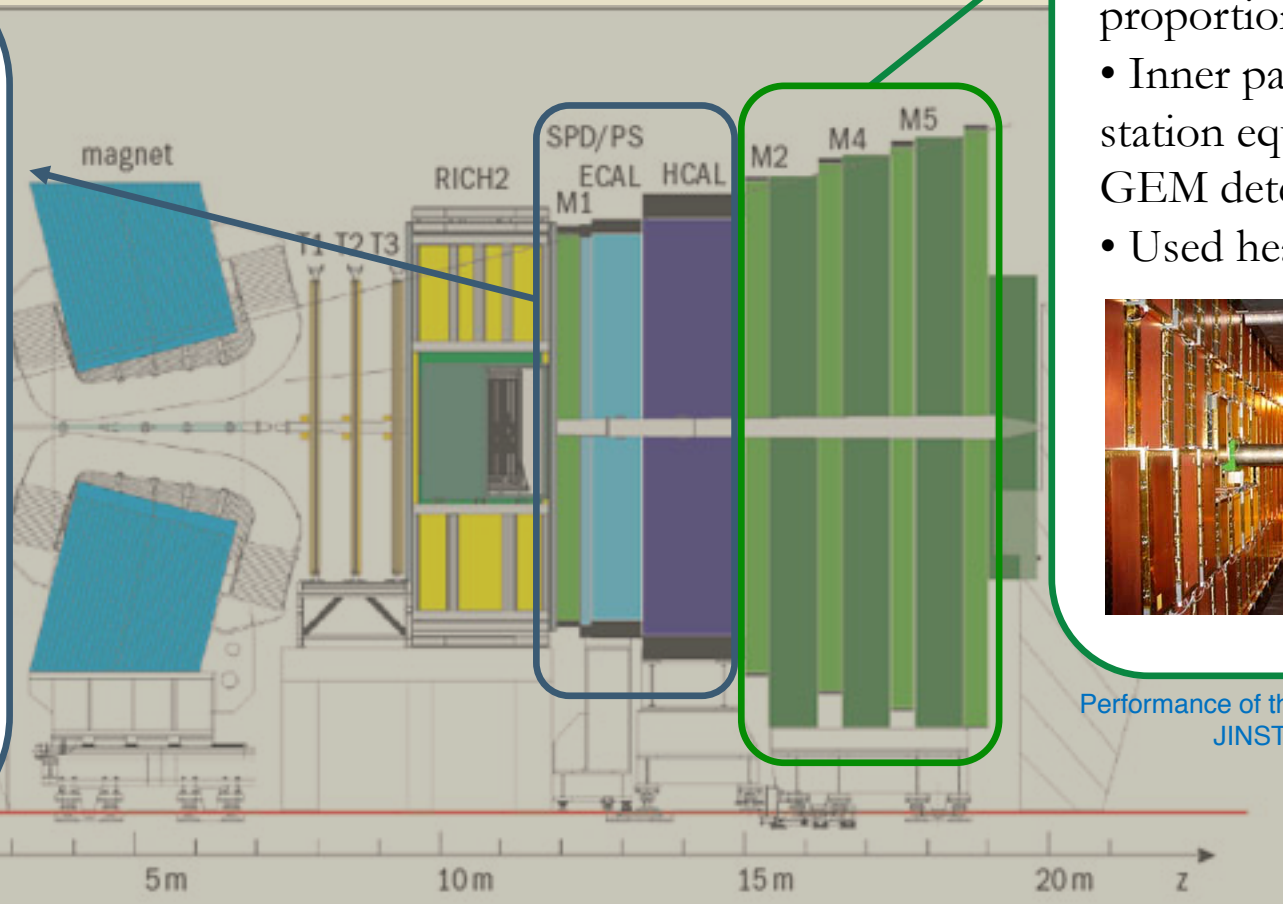


Particle identification

Electromagnetic CAL and Hadronic CAL

Scintillator planes + absorber material planes

- Used in the hardware trigger (L0) selection



Muon Chambers

5 stations, each equipped with 276 multi-wire proportional chambers

- Inner part of the first station equipped with 12 GEM detectors
- Used heavily in trigger



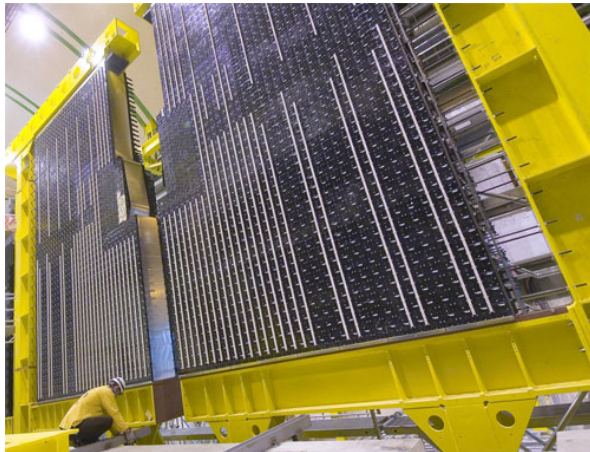
Performance of the Muon Identification system
JINST 8 (2013) P10020

Particle identification

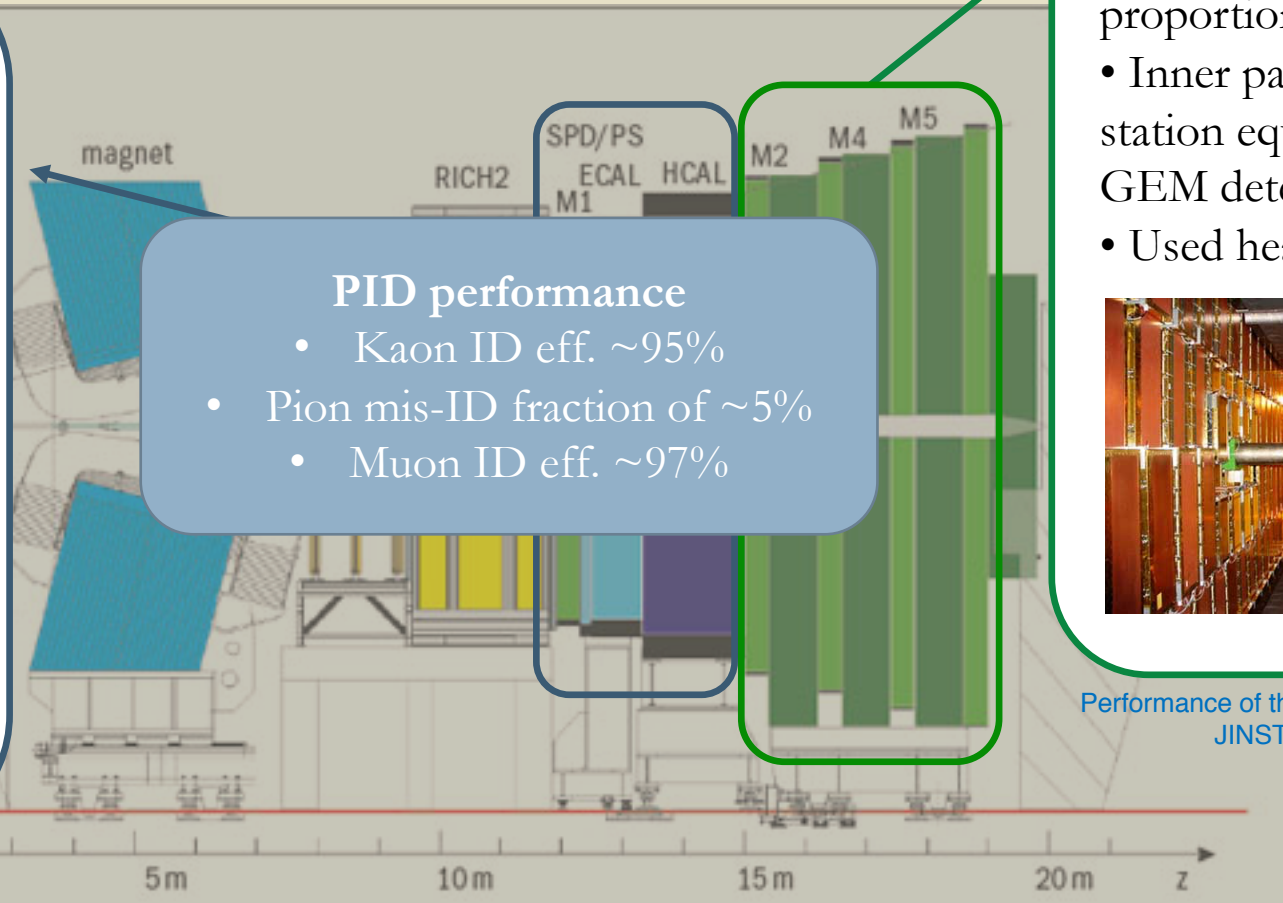
Electromagnetic CAL and Hadronic CAL

Scintillator planes + absorber material planes

- Used in the hardware trigger (L0) selection



LHCb Detector Performance
Int. J. Mod. Phys. A30 (2015) 1530022



PID performance

- Kaon ID eff. $\sim 95\%$
- Pion mis-ID fraction of $\sim 5\%$
- Muon ID eff. $\sim 97\%$

Muon Chambers

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Performance of the Muon Identification system
JINST 8 (2013) P10020

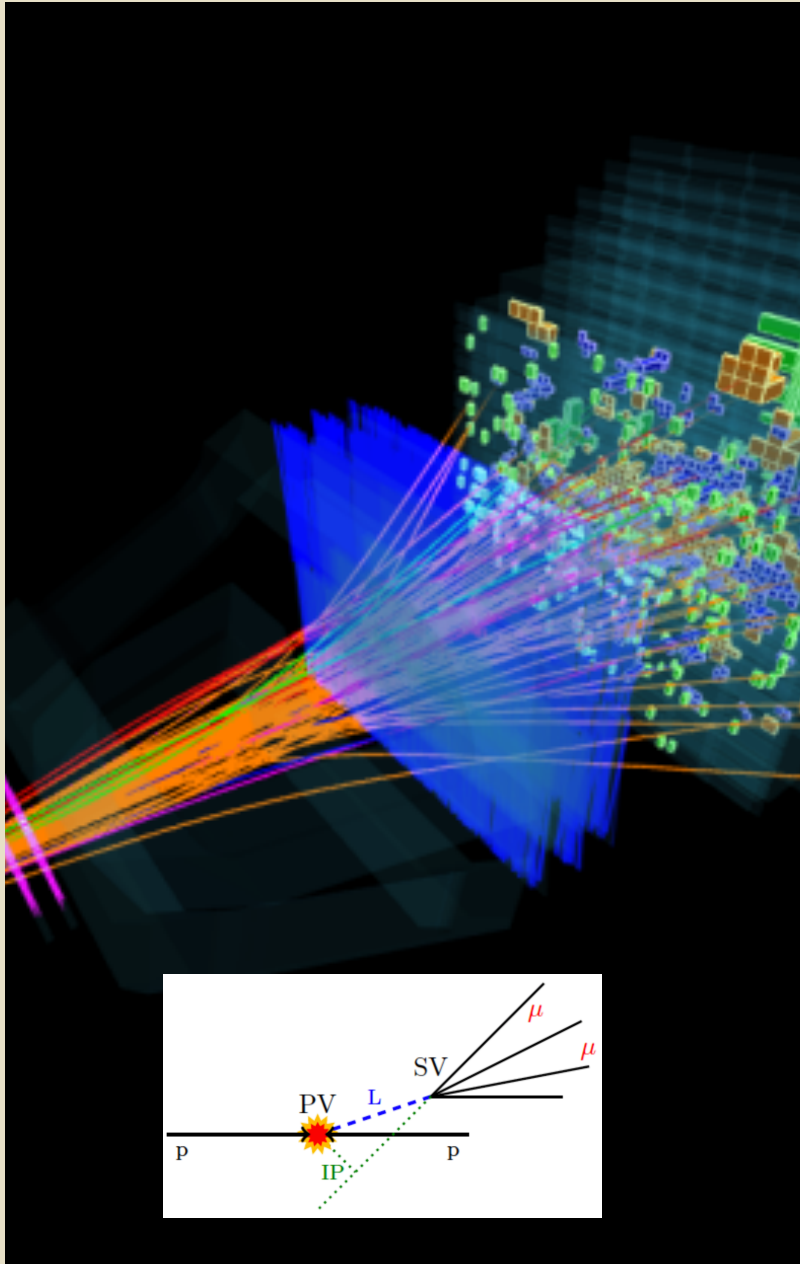
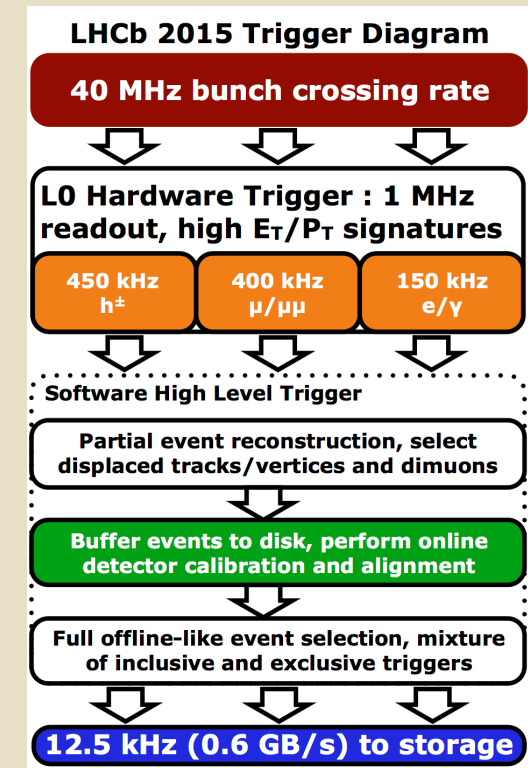
Trigger principles

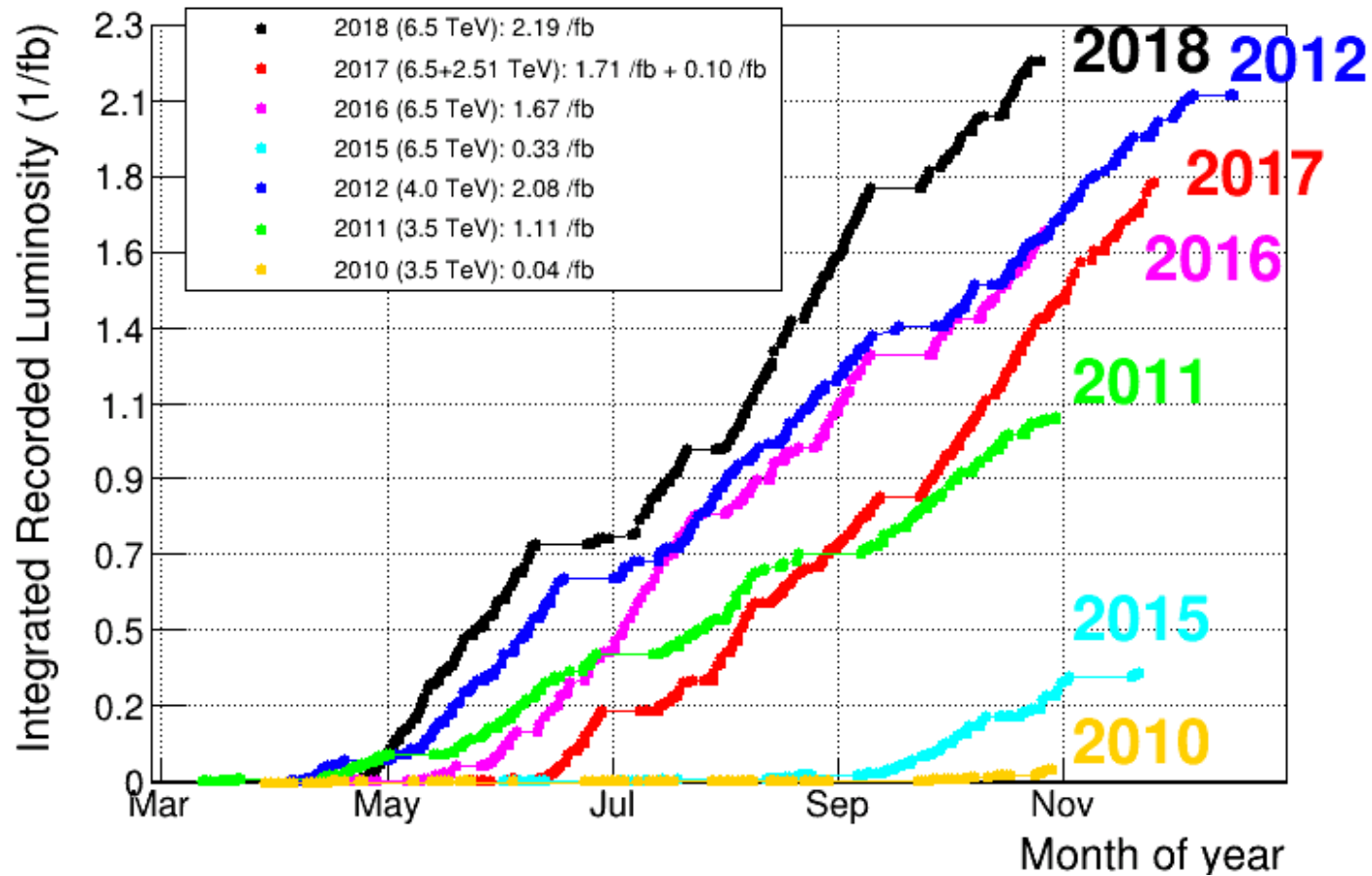
BEAUTY SIGNATURES

- Mass $m(B^+) = 5.28 \text{ GeV}/c^2$
- Daughter $p_T \mathcal{O}(1 \text{ GeV}/c)$
- Lifetime $\tau(B) \sim 1.5 \text{ ps}$
- Flight distance $\sim 1 \text{ cm}$
- Detached secondary vertex

Since Run II the detector is calibrated and aligned online:

- **Same reconstruction online and offline**
- No need of offline data processing





INTEGRATED RECORDED LUMINOSITY

The full LHCb data set is
about 9fb^{-1}

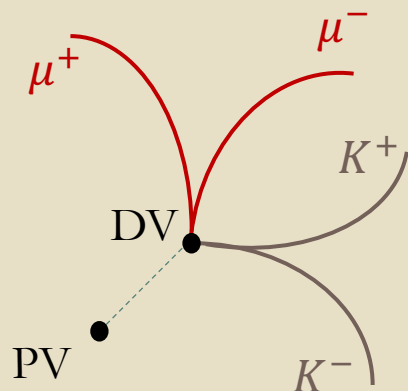
THANKS
LHC!!

2015: 0.3fb^{-1}
2016: 1.6fb^{-1}
2017: 1.7fb^{-1}
2018: 2.1fb^{-1}

Large number of beauty hadrons:
 $\sigma_{b\bar{b}}(7\text{ TeV}) = 72.0 \pm 0.3 \pm 6.8\ \mu\text{b}$
 $\sigma_{b\bar{b}}(13\text{ TeV}) = 154.3 \pm 1.5 \pm 14.3\ \mu\text{b}$
[\[PRL 118 \(2017\) 052002\]](#)

Decay channels discussed today

$$B_s^0 \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) K^+ K^-$$

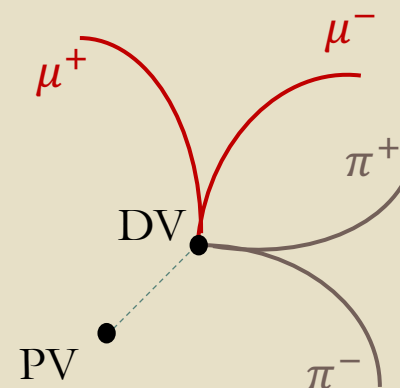


In $B_s^0 \rightarrow J/\psi KK$ the final state is a mixture of CP-even ($L = 0, 2$) and CP-odd ($L = 1 + S$ -wave) components:

- $|B_L\rangle = p |B_s^0\rangle + q |\bar{B}_s^0\rangle \approx$ **CP – even**
- $|B_H\rangle = p |B_s^0\rangle - q |\bar{B}_s^0\rangle \approx$ **CP – odd**

Requires an **angular analysis** and allows to obtain $\Delta\Gamma_S$ and Γ_S

$$B_s^0 \rightarrow J/\psi(\rightarrow \mu^+ \mu^-) \pi^+ \pi^-$$



Rich resonant and non-resonant structure in the $\pi^+ \pi^-$ mass spectrum.

Mainly CP-odd: requires an amplitude analysis to check the effect of the small CP-even component and it allows to measure Γ_H

Measuring φ_s

Definition of time-dependent CP asymmetry: $A_{CP}(t) = \frac{\Gamma(\bar{B}_s^0 \rightarrow f) - \Gamma(B_s^0 \rightarrow f)}{\Gamma(\bar{B}_s^0 \rightarrow f) + \Gamma(B_s^0 \rightarrow f)} = \eta_f \sin \varphi_s \sin(\Delta m_s t)$

Experimentally it becomes: $A_{CP}(t) = \eta_f \cdot e^{-\frac{1}{2}\Delta m_s^2 \sigma_t^2} \cdot (1 - 2\omega) \cdot \sin \varphi_s \cdot \sin(\Delta m_s t)$

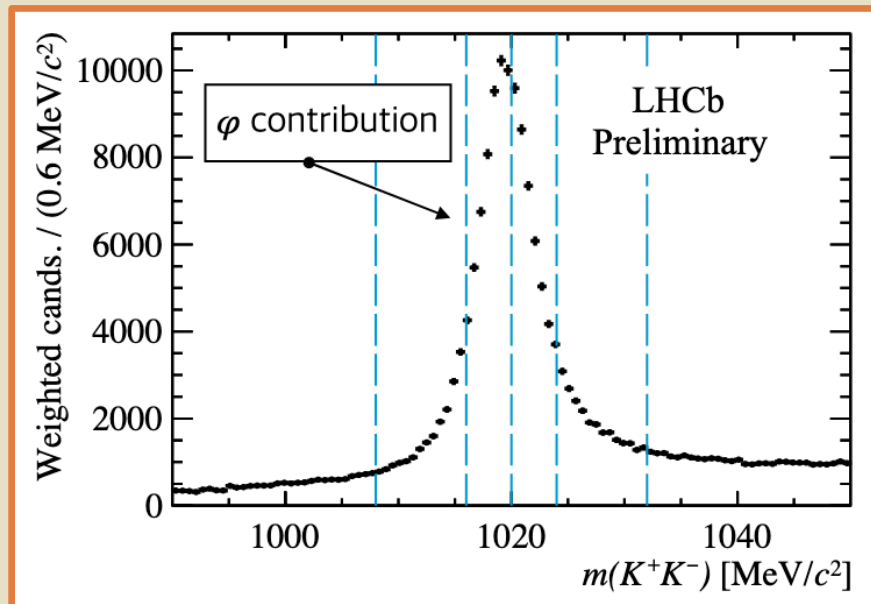
Critical requirements:

- CP eigenvalue of the final state $\eta_f \rightarrow$ angular analysis
 - Excellent decay-time resolution $\sigma_t \sim 45$ fs
 - Tagging of meson flavour @ production: probability of getting the wrong tag ω
- + in the fit need to model decay-time efficiency $\varepsilon(t)$ (due to selection and reconstruction) and angular efficiency $\varepsilon(\Omega)$

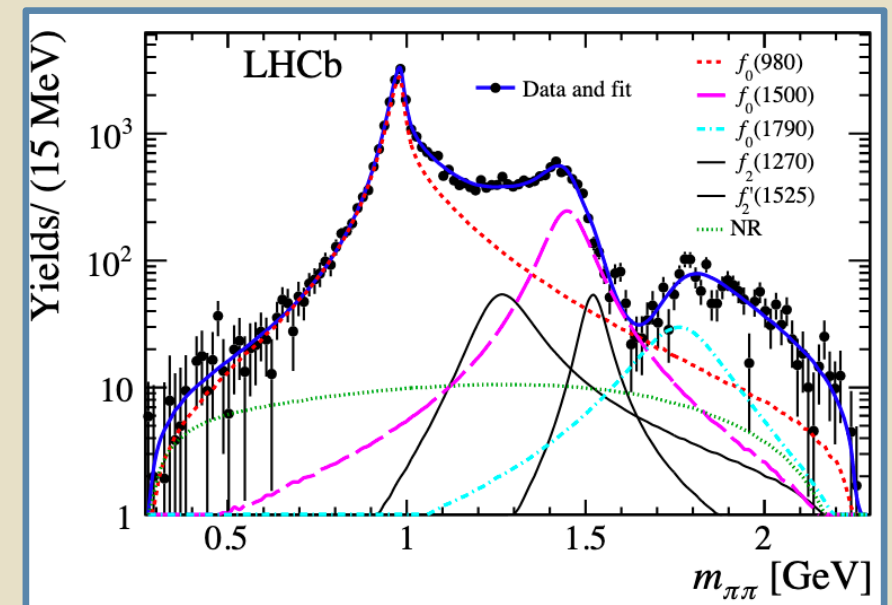
First harvest of LHCb Run 2 data

- New results obtained analysing 2015 (0.3 fb^{-1}) and 2016 (1.6 fb^{-1}) data presented at Moriond EW '19
- $B_s^0 \rightarrow J/\psi K^+ K^-$ [LHCb-PAPER-2019-013] and $B_s^0 \rightarrow J/\psi \pi^+ \pi^-$ [arXiv:1903.05530]
- **Not just an update:** Run I strategy duly rediscussed and various methods carefully scrutinized and validated
- Simultaneous fit to the signal decay time and 3 helicity angles

in 6 bins in $m(K^+ K^-)$



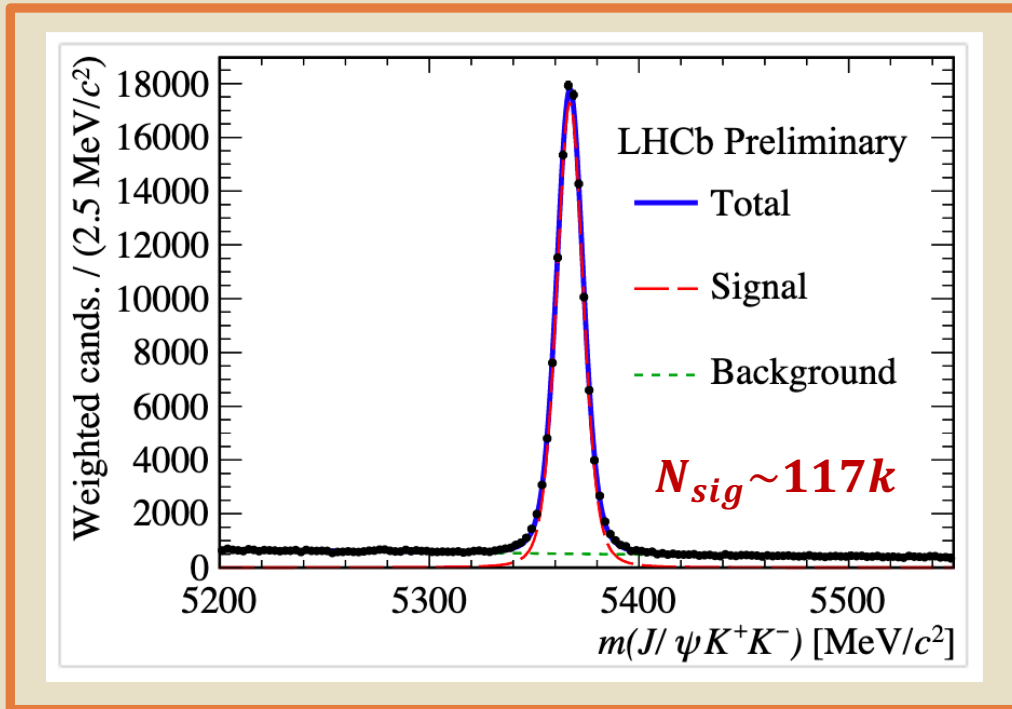
and $m(\pi^+ \pi^-)$



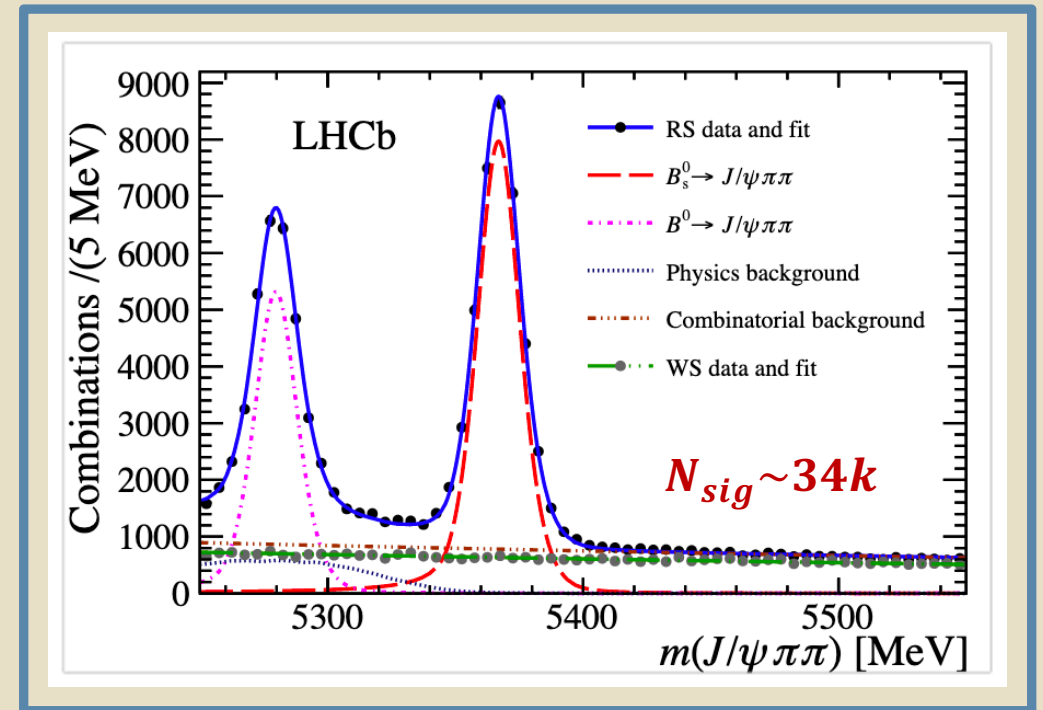
Selection and mass fit

New: Boosted decision tree is trained to select signal candidates

[LHCb-PAPER-2019-013]



- Injected negative weighted MC to subtract $\Lambda_b^0 \rightarrow J/\psi p K$
- Signal width is a function of per-candidate mass error to account for correlation with $\cos(\theta_\mu)$

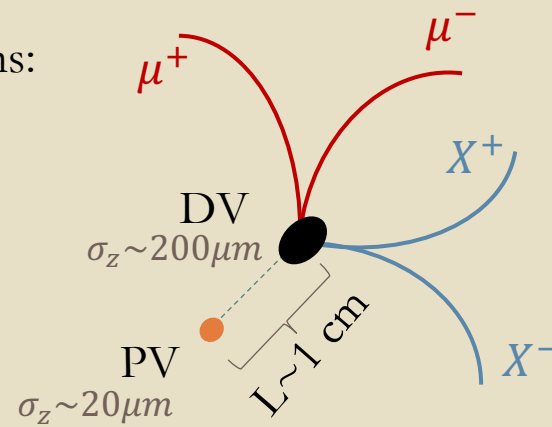
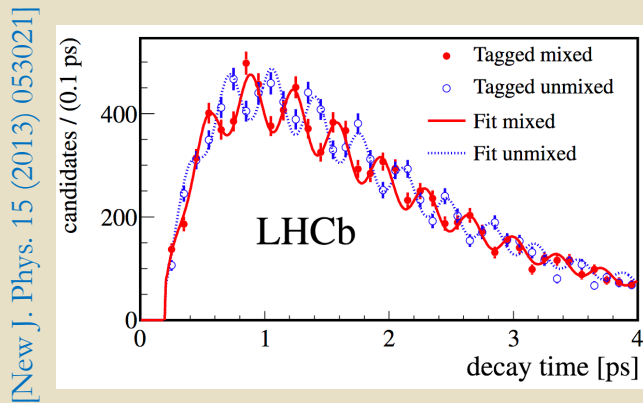


[arXiv:1903.05530]

- Use the wrong sign (WS) combination ($\pi^\pm \pi^\pm$) to determine the shape of the combinatorial background

Decay-time resolution

Fundamental to resolve fast $B_S^0 - \bar{B}_S^0$ oscillations:



$$t = \frac{L \cdot m}{p} \quad \text{decay time}$$

↓ decay-time resolution

$$\sigma_t^2 = \left(\frac{m}{p}\right)^2 \sigma_L^2 + \left(\frac{t}{p}\right)^2 \sigma_p^2$$

$\uparrow \sim 200 \mu\text{m}$
 $\swarrow \sigma_p / p \sim 0.4\%$

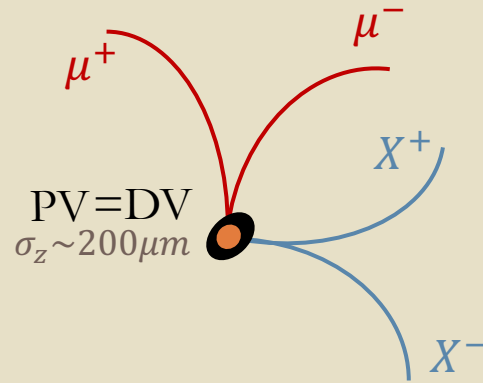
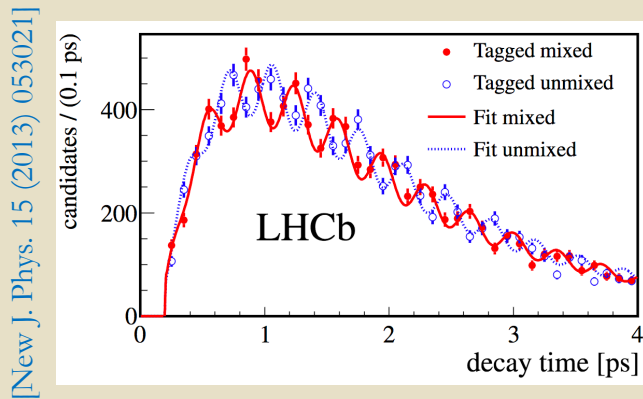
The first contribution is ~ 20 times larger than the second, they become comparable only at several B lifetimes

How to determine σ_t in data?

- Since the resolution of the secondary vertex is dominating, we reconstruct fake $B_S^0 \rightarrow \mu\mu hh$ with all tracks coming from the PV (prompt $J/\psi + 2$ random PV kaons or pions) and without using selections on decay time
- By definition for these candidates $t = 0 \pm \sigma_t$
- Method **validated in MC comparing prompt and signal resolutions**

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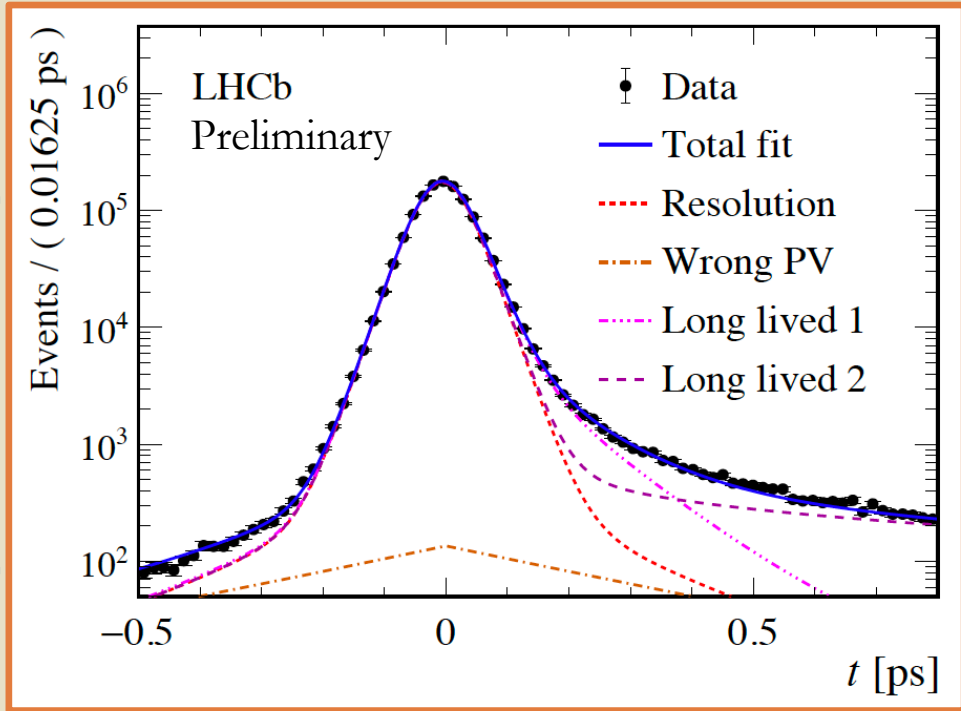
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How to determine σ_t in data?

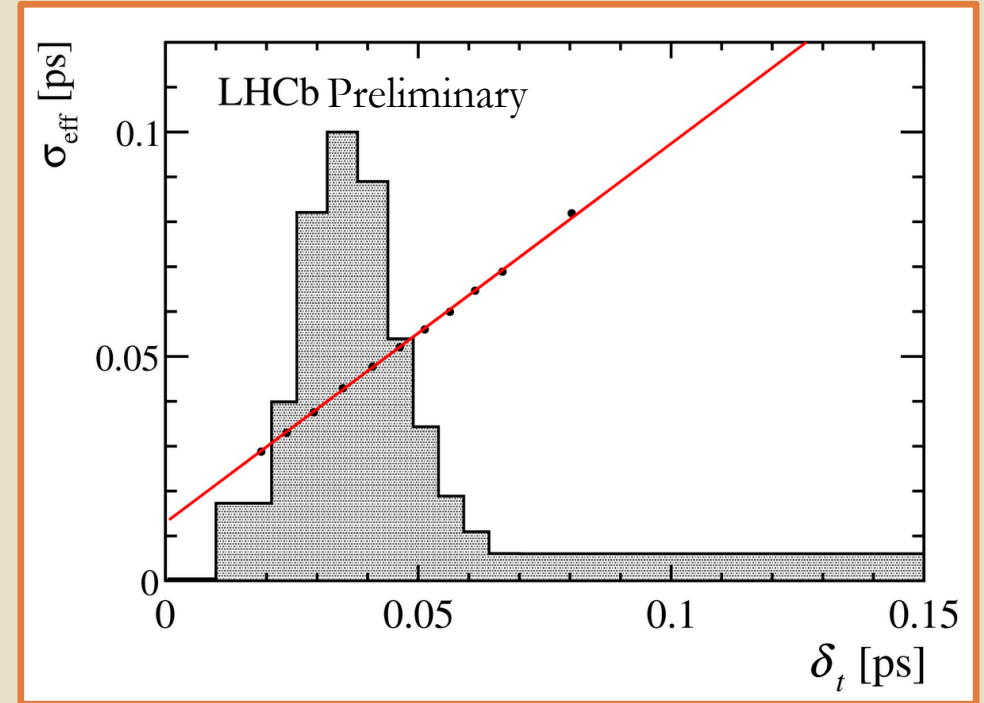
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- Method **validated in MC comparing prompt and signal resolutions**

Decay-time resolution

[LHCb-PAPER-2019-013]



Fitting σ_{eff} in diff. bin of the event-by-event decay-time uncertainty δ_t



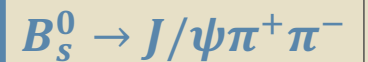
[LHCb-PAPER-2019-013]

$$\sigma_{eff} = \sqrt{(-2/\Delta m_s^2) \ln D}, \text{ with } D = \sum_{i=1}^3 f_i e^{-\sigma_i^2 \Delta m_s^2 / 2}$$

$$\sigma_{eff} = 45.5 \text{ fs}$$



$$\sigma_{eff} = 41.5 \text{ fs}$$



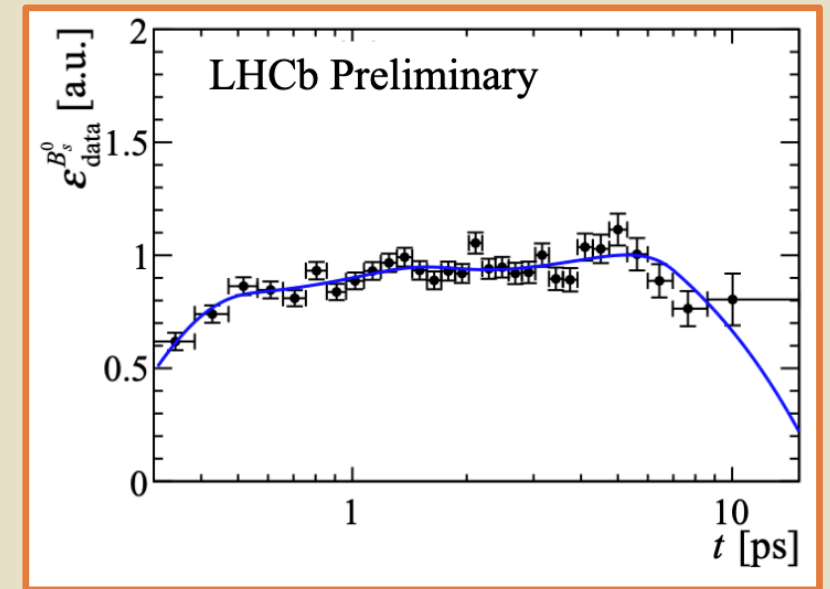
Decay-time efficiency

Use $\sim 550\text{k } B^0 \rightarrow J/\psi K^*(892)^0$ as a data control channel
 (thanks to its well known lifetime $\tau_{B^0} = \frac{1}{\Gamma_d} = 1.520 \pm 0.004 \text{ ps}$).

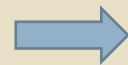
Efficiency obtained fitting simultaneously B^0 data and $B^0 - B_s^0$ data-corrected simulations fixing known lifetimes and resolutions:

$$\epsilon_{B_s^0}^{data}(t) = \epsilon_{B^0}^{data}(t) \times \frac{\epsilon_{B_s^0}^{MC}(t)}{\epsilon_{B^0}^{MC}(t)}$$

Small correction to account for differences between signal and control channels



By product: measure directly $\Gamma_s - \Gamma_d$ in $B_s^0 \rightarrow J/\psi K^+ K^-$ and $\Gamma_H - \Gamma_d$ in $B_s^0 \rightarrow J/\psi \pi^+ \pi^-$ being independent on the value and uncertainty of Γ_d



Interesting for comparisons with HQE where Γ_s / Γ_d is precisely predicted.

Decay-time efficiency II

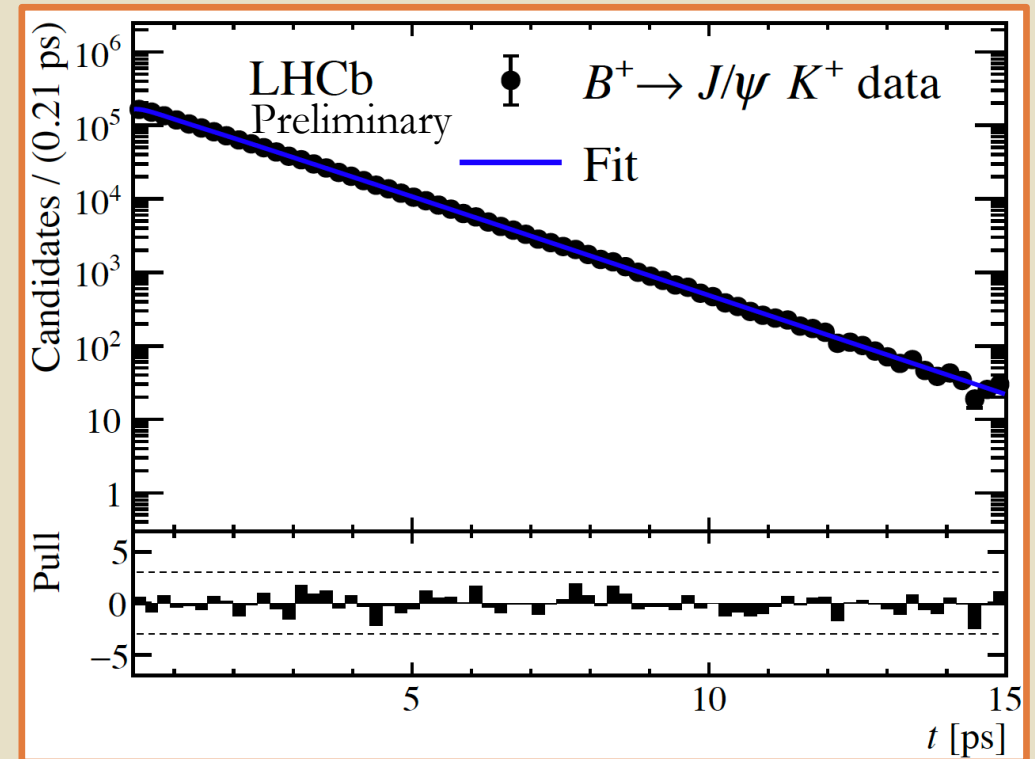
Strategy validated using $B^0 \rightarrow J/\psi K^*(892)^0$ and $B^+ \rightarrow J/\psi K^+$ data control channels

E.g. $B^+ \rightarrow J/\psi K^+$

- Determine the B^+ lifetime using $B^0 \rightarrow J/\psi K^{*0}$ as control channel
- Replace the B_s^0 MC in the efficiency determination with B^+ MC and determine the efficiency
- Fit B^+ decay time distribution in data with this efficiency

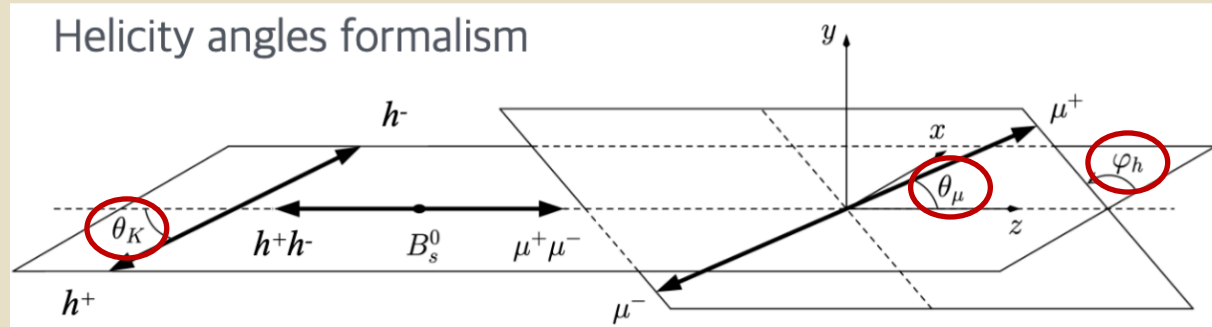


$$\Gamma_u - \Gamma_d = -0.0478 \pm 0.0013 \text{ ps}^{-1} \text{ (stat only)}$$
$$\text{vs } (\Gamma_u - \Gamma_d)^{\text{PDG}} = -0.0474 \pm 0.0023 \text{ ps}^{-1}$$



[LHCb-PAPER-2019-013]

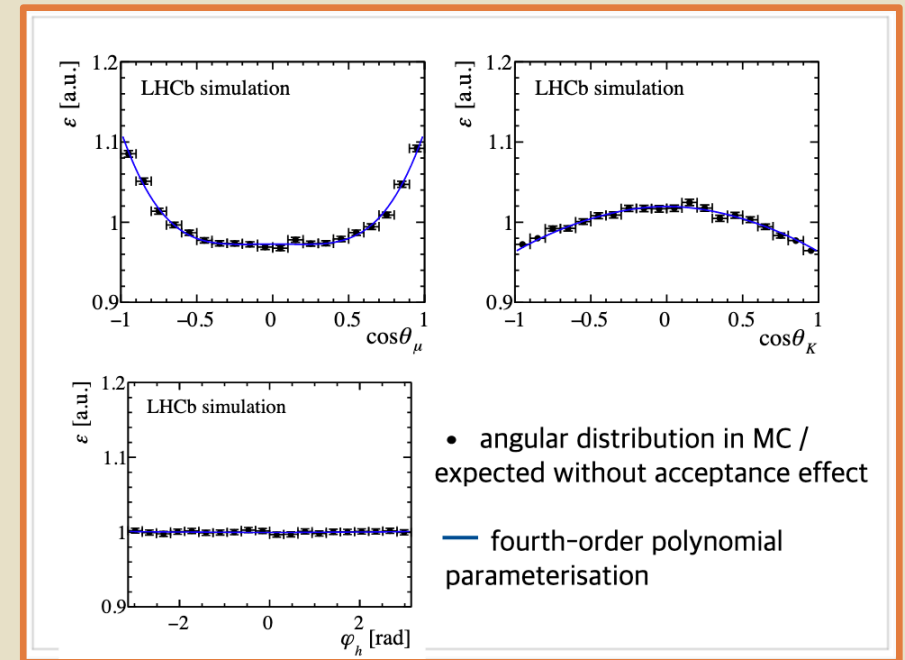
Angular efficiency



- Kinematic selection and detector acceptance are causing non uniform efficiency as function of decay angles
- Efficiency taken from MC after iterative reweighting

Checks done in control data:

- Measurement of $B^0 \rightarrow J/\psi K^{*0}$ polarisation amplitudes in agreement with world average
- Correctly retrieved muon helicity distribution (expected $1 - \cos^2 \theta_\mu$ dependence) in $B^+ \rightarrow J/\psi K^+$ decays



Flavour tagging

- Two tagging algorithms are used: **opposite side** and **same side**. For each algorithm true mistag probability is calibrated assuming linear dependency with estimated one

$$\omega = p_0 + p_1(\eta - \langle \eta \rangle)$$

- Tagging power is given as tagging efficiency times dilution squared $\epsilon_{tag} D^2$ with $D = (1 - 2\omega)$

$$\epsilon_{tag} D^2 = 4.73 \pm 0.34 \%$$

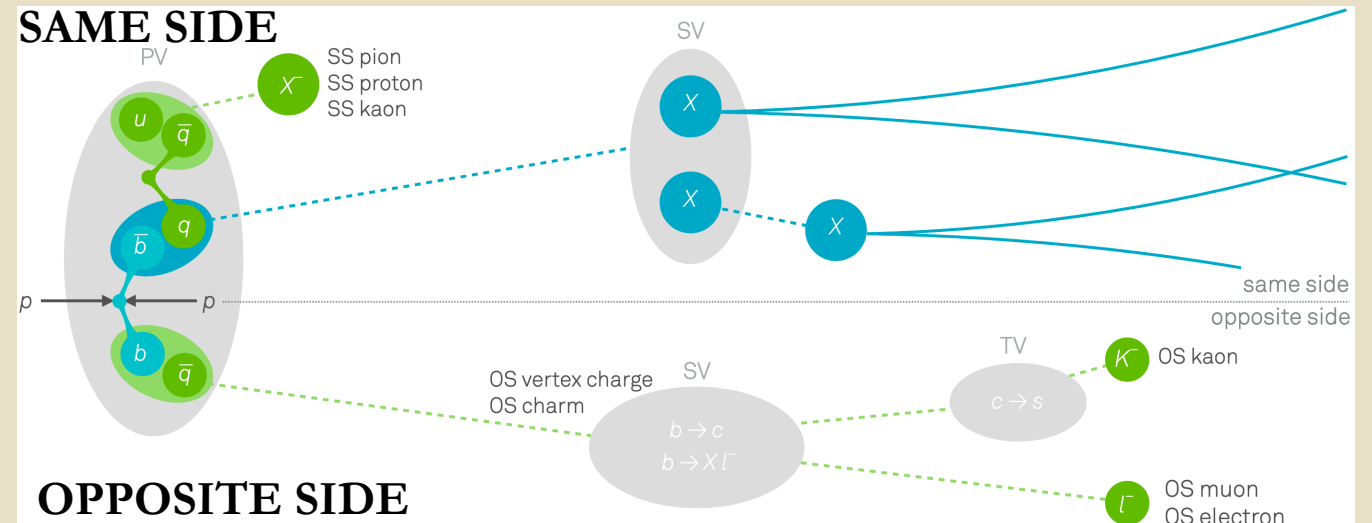


Run1 was
 $\approx 3.73 \%$

$$\epsilon_{tag} D^2 = 5.06 \pm 0.38 \%$$



Run1 was
 $\approx 3.89 \%$



$\sim 30\%$ relative improvement of tagging power

- More tagging power = better exploitation of data!**

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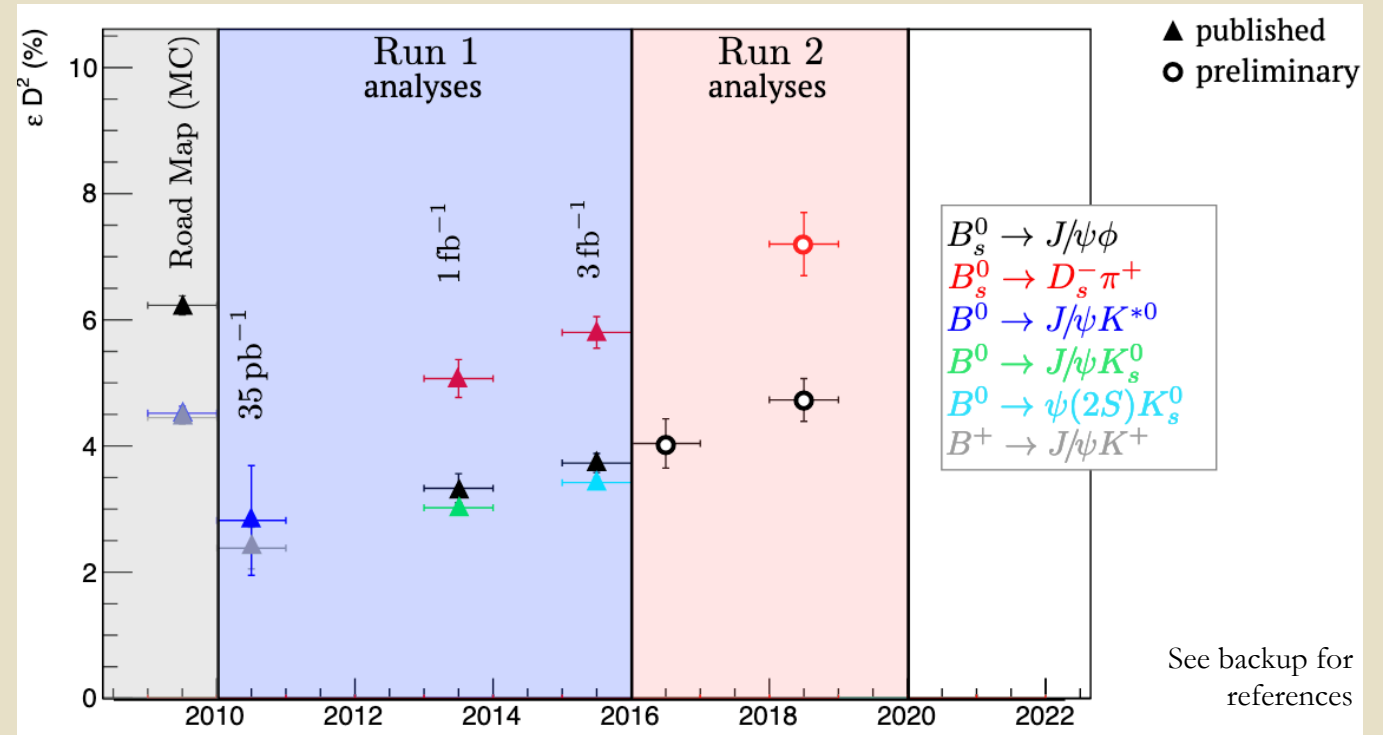
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Run1 was
 $\approx 3.89 \%$

Courtesy of S. Akar



- More tagging power = better exploitation of data!**

Systematics for $B_S^0 \rightarrow J/\psi K^+ K^-$

φ_s mainly affected by **Time res.** & **Ang. Acc.**, $\Delta\Gamma_s$ ($|\lambda|$) by **Mass factorisation** (& **Ang. Acc.**), $\Gamma_s - \Gamma_d$ by **Time eff.**

Source	$ A_0 ^2$	$ A_\perp ^2$	ϕ_s [rad]	$ \lambda $	$\delta_\perp - \delta_0$ [rad]	$\delta_\parallel - \delta_0$ [rad]	$\Gamma_s - \Gamma_d$ [ps^{-1}]	$\Delta\Gamma_s$ [ps^{-1}]	Δm_s [ps^{-1}]
Mass width parametrisation	0.0006	0.0005	-	-	0.05	0.009	-	0.0002	0.001
Mass factorisation	0.0002	0.0004	0.004	0.0037	0.01	0.004	0.0007	0.0022	0.016
Multiple candidates	0.0006	0.0001	0.0011	0.0011	0.01	0.002	0.0003	0.0001	0.001
Fit bias	0.0001	0.0006	0.001	-	0.02	0.033	-	0.0003	0.001
C_{SP} factors	-	0.0001	0.001	0.0010	0.01	0.005	-	0.0001	0.002
Time res.: applicability of prompt	-	-	-	-	-	0.001	-	-	0.001
Time res.: t bias	-	-	0.0032	0.0010	0.08	0.001	0.0002	0.0003	0.005
Time res.: wrong PV	-	-	-	-	-	0.001	-	-	0.001
Ang. acc.: MC sample size	0.0003	0.0004	0.0011	0.0018	-	0.004	-	-	0.001
Ang. acc.: BDT correction	0.0020	0.0011	0.0022	0.0043	0.01	0.008	0.0001	0.0002	0.001
Ang. acc.: low-quality tracks	0.0002	0.0001	0.0005	0.0014	-	0.002	0.0002	0.0001	-
Ang. acc.: t & σ_t dependence	0.0008	0.0012	0.0012	0.0007	0.03	0.006	0.0002	0.0010	0.003
Dec.-time eff.: statistical	0.0002	0.0003	-	-	-	-	0.0012	0.0008	-
Dec.-time eff.: kin. weighting	-	-	-	-	-	-	0.0002	-	-
Dec.-time eff.: p.d.f. weighting	-	-	-	-	-	-	0.0001	0.0001	-
Dec.-time eff.: $\Delta\Gamma_s = 0$ sim.	0.0001	0.0002	-	-	-	-	0.0003	0.0005	-
Length scale	-	-	-	-	-	-	-	-	0.004
Quadratic sum of syst.	0.0024	0.0019	0.0061	0.0064	0.10	0.037	0.0015	0.0026	0.018

Systematics for $B_S^0 \rightarrow J/\psi \pi^+ \pi^-$

$\Gamma_H - \Gamma_d$ mainly affected by **Background**, ϕ_s and $|\lambda|$ by **Resonance modelling**

Source	$\Gamma_H - \Gamma_{B^0}$ [fs ⁻¹]	$ \lambda $ [$\times 10^{-3}$]	ϕ_s [mrad]
t acceptance	2.0	0.0	0.3
τ_{B^0}	0.2	0.5	0.0
Efficiency ($m_{\pi\pi}, \Omega$)	0.2	0.1	0.0
t resolution width	0.0	4.3	4.0
t resolution mean	0.3	1.2	0.3
Background	3.0	2.7	0.6
Flavour tagging	0.0	2.2	2.3
Δm_s	0.3	4.6	2.5
Γ_L	0.3	0.4	0.4
B_c^+	0.5	-	-
Resonance parameters	0.6	1.9	0.8
Resonance modelling	0.5	28.9	9.0
Production asymmetry	0.3	0.6	3.4
Total	3.8	29.9	11.0

- 1) Using reweighted WS samples in the fit
- 2) Vary the background yields by $\pm 1\sigma$

- 1) Vary Barrier factor
- 2) Replace NR by $f_0(500)$
- 3) Solution II
- 4) Add $\rho(770)$

Results using 2015-2016 data

$B_s^0 \rightarrow J/\psi K^+ K^-$

$$\begin{aligned}\varphi_s &= -0.083 \pm 0.041 \pm 0.006 \text{ rad} \\ |\lambda| &= 1.012 \pm 0.016 \pm 0.006 \\ \Gamma_s - \Gamma_d &= -0.0041 \pm 0.0024 \pm 0.0015 \text{ ps}^{-1} \\ \Delta\Gamma_s &= 0.0773 \pm 0.0077 \pm 0.0026 \text{ ps}^{-1}\end{aligned}$$

$B_s^0 \rightarrow J/\psi \pi^+ \pi^-$

$$\begin{aligned}\varphi_s &= -0.057 \pm 0.060 \pm 0.011 \text{ rad} \\ |\lambda| &= 1.01_{-0.06}^{+0.08} \pm 0.03 \\ \Gamma_H - \Gamma_d &= -0.050 \pm 0.004 \pm 0.004 \text{ ps}^{-1}\end{aligned}$$

↓

$$\Gamma_s = 0.6538 \pm 0.0024 \pm 0.0015 \pm 0.0017 \text{ (input } \Gamma_d) \text{ ps}^{-1}$$

Combining the above + Run 1: $B_s^0 \rightarrow J/\psi K K$, $B_s^0 \rightarrow J/\psi \pi \pi$, $B_s^0 \rightarrow J/\psi K K$ high mass, $B_s^0 \rightarrow D_s D_s$, $B_s^0 \rightarrow \psi(2S)\phi$

$$\begin{aligned}\varphi_s &= -0.041 \pm 0.025 \text{ rad} \\ |\lambda| &= 0.993 \pm 0.010 \\ \Gamma_s &= 0.6562 \pm 0.0021 \text{ ps}^{-1} \\ \Delta\Gamma_s &= 0.0816 \pm 0.0048 \text{ ps}^{-1}\end{aligned}$$

Correlations between the parameters and between the systematic uncertainties are taken into account.

Overview of LHCb combination

Preliminary

Combination of all LHCb (Run1 and 2) results

$$\varphi_s = -0.041 \pm 0.025 \text{ rad}$$

$$|\lambda| = 0.993 \pm 0.010$$

$$\Gamma_s = 0.6562 \pm 0.0021 \text{ ps}^{-1}$$

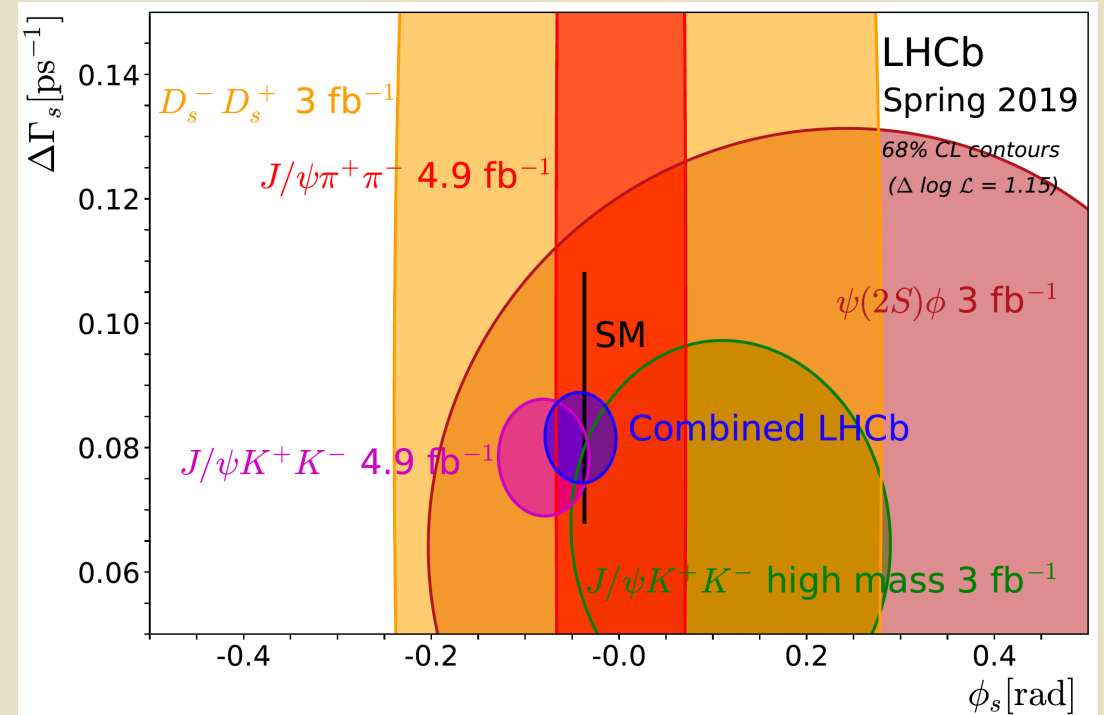
$$\Delta\Gamma_s = 0.0816 \pm 0.0048 \text{ ps}^{-1}$$

φ_s 0.1 σ away from SM
consistent with Standard Model

φ_s 1.6 σ away from 0
consistent with no CPV in interference

$|\lambda|$ consistent with 1
consistent with no direct CPV

$\Gamma_s - \Gamma_d$ consistent with HQE prediction



[LHCb-PAPER-2019-013]

Preliminary

New HFLAV combination

At Moriond EW '19 also ATLAS presented preliminary results exploiting 2015-2017 data using $B_s^0 \rightarrow J/\psi K^+ K^-$.

ATLAS combination with Run 1 results is:

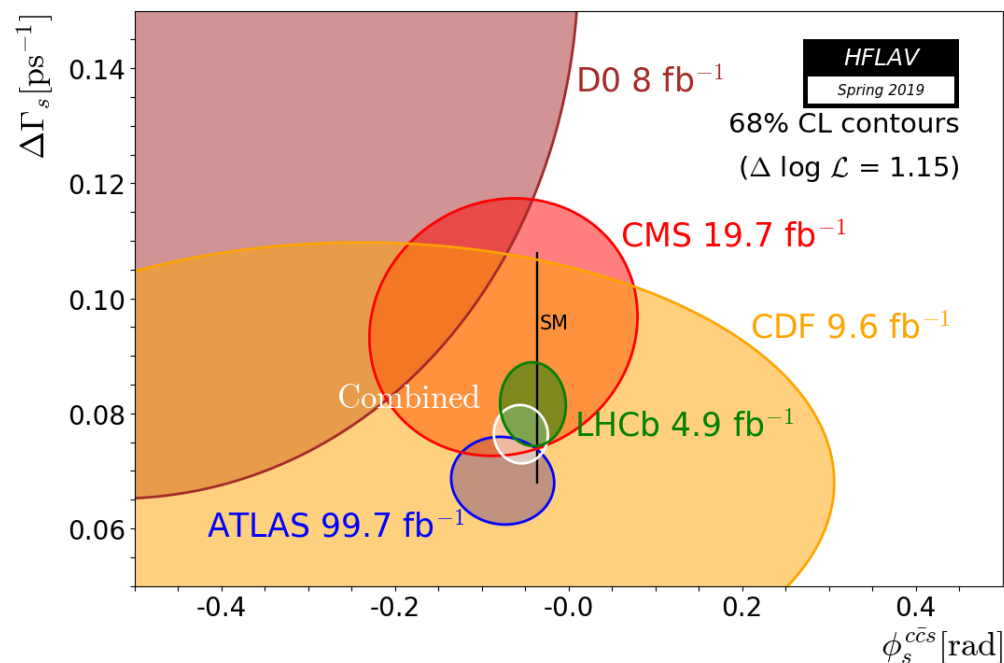
$$\begin{aligned}\varphi_s &= -0.076 \pm 0.034 \pm 0.019 \text{ rad} \\ \Gamma_s &= 0.669 \pm 0.001 \pm 0.001 \text{ ps}^{-1} \\ \Delta\Gamma_s &= 0.068 \pm 0.004 \pm 0.003 \text{ ps}^{-1}\end{aligned}$$

[ATLAS-CONF-2019-009]

The preliminary HFLAV combination is:

$$\begin{aligned}\varphi_s &= -0.055 \pm 0.021 \text{ rad} \\ \Delta\Gamma_s &= 0.0764_{-0.0033}^{+0.0034} \text{ ps}^{-1}\end{aligned}$$

[HFLAV PRELIMINARY]



Some considerations on the combination

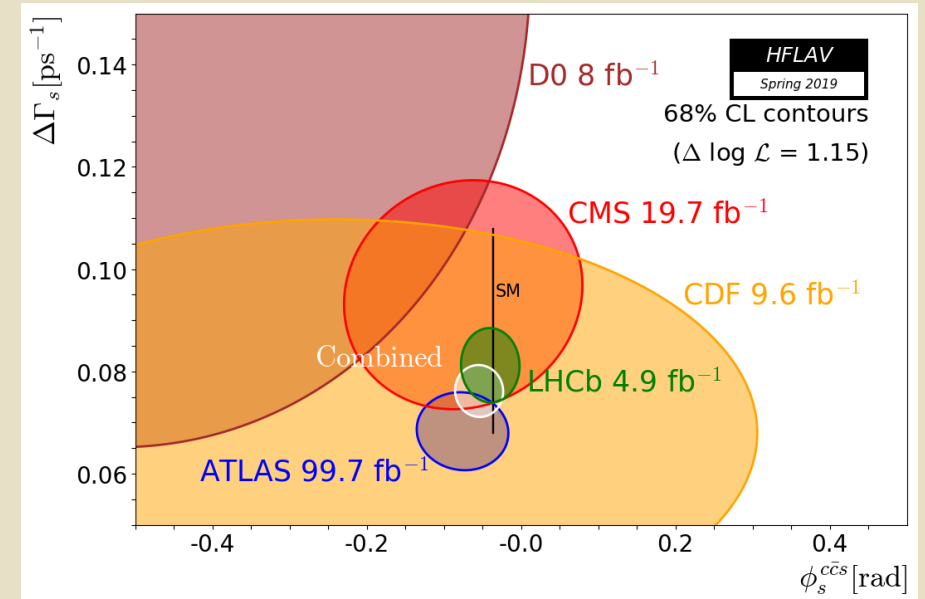
- **Combination among the experiments is getting more and more interesting**
 - Entering in a regime where **penguin pollution** constraints are similar to the precision of the combination
- Strength of LHCb: **versatility** and possibility to measure φ_S also with many other channels, in particular $B_S^0 \rightarrow J/\psi\pi^+\pi^-$

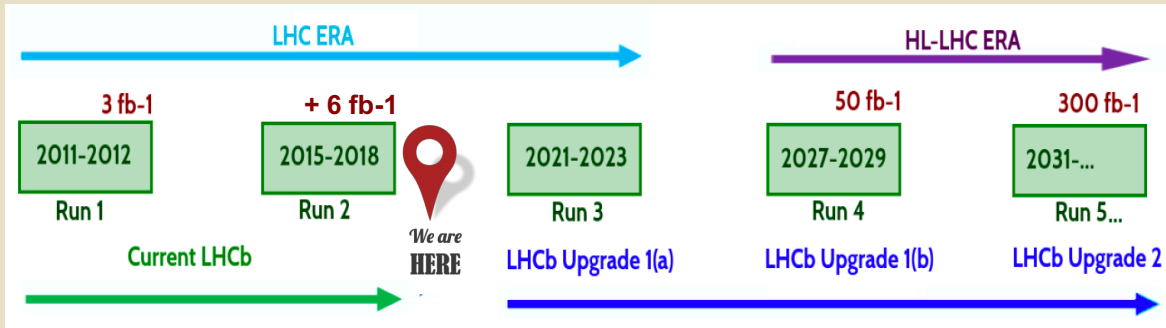
The value of Γ_S shows **tension** between LHCb and ATLAS:

- HFLAV (not including Run 2): $\Gamma_S^{HFLAV} = 0.6629 \pm 0.0018 \text{ ps}^{-1}$
- LHCb Run 2: $\Gamma_S^{LHCb} = 0.6538 \pm 0.0033 \text{ ps}^{-1} \rightarrow -2.4 \sigma$ from WA
- ATLAS Run 2: $\Gamma_S^{ATLAS} = 0.669 \pm 0.0014 \text{ ps}^{-1} \rightarrow +2.7 \sigma$ from WA

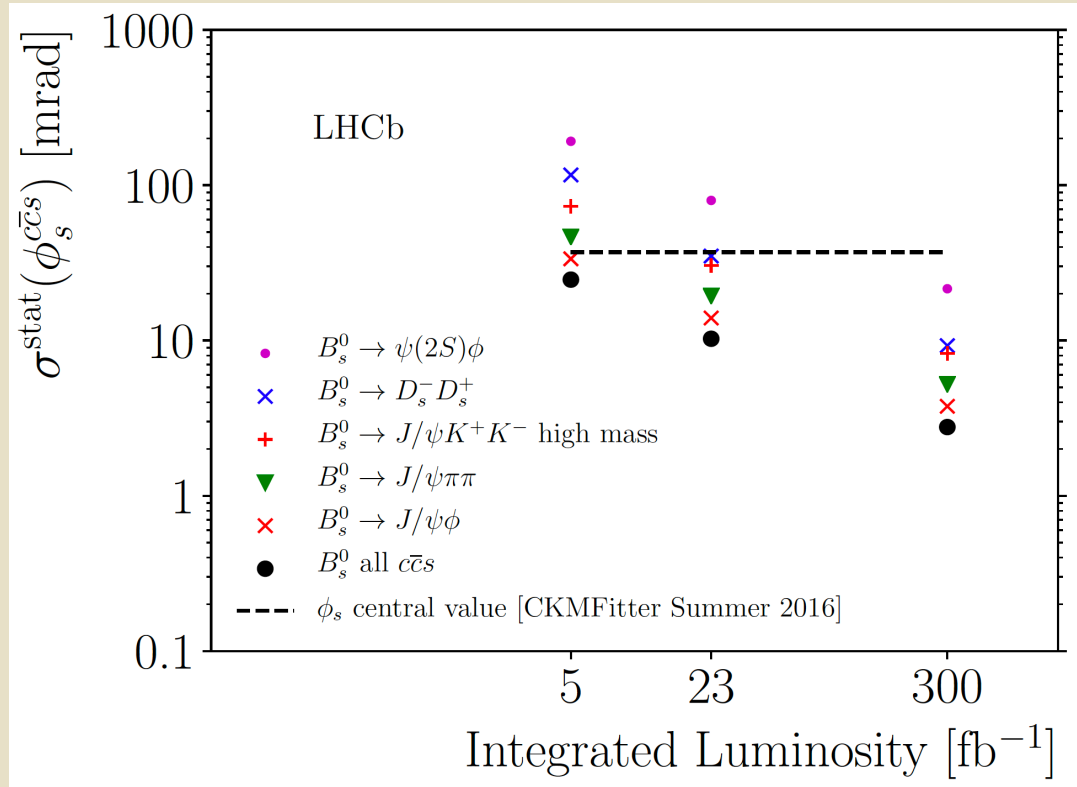


Tension between ATLAS and LHCb of $>4 \sigma$





Prospects for the future



- Include gain in trigger for $B_s^0 \rightarrow D_s^- D_s^+$ after Upgrade 1
- Same performances as in Run I
 - Assumed tagging power 4%
- Additional modes planned: $J/\psi \rightarrow ee$, $\eta' \rightarrow \rho^0 \gamma$ or , $\eta' \rightarrow \eta \pi \pi$ or $\gamma \gamma$ as cross cheks

300/fb: $\sigma^{STAT}(\varphi_s) \sim 4$ mrad from $B_s^0 \rightarrow J/\psi KK$ only

- Vital FT performance maintains or improves
- φ_s expected to be statistically limited

Impact of Upgrade I and II very important for φ_s !

[LHCb-PUB-2018-009]

Control of penguin pollution

- U-spin or SU(3) flavour symmetry to constrain size of penguin with $b \rightarrow c\bar{c}d$ (related by s-d spectator exchange)
- Penguin pollution and/or CP violation **could be different for each polarisation state**, $f \in (0, \perp, \parallel, S)$
 - no sign yet of dependence in $B_s^0 \rightarrow J/\psi KK$ (also in Run 2) so penguins are small
- **SU(3)_F: $B_s^0 \rightarrow J/\psi K^{*0}$ and $B^0 \rightarrow J/\psi \rho^0$ are $b \rightarrow c\bar{c}d$ transitions.**

$$\begin{aligned} \Delta\phi_{s,0}^{J/\psi\phi} &= 0.000_{-0.011}^{+0.009} \text{ (stat)} \quad +0.004_{-0.009} \text{ (syst) rad} \\ \Delta\phi_{s,\parallel}^{J/\psi\phi} &= 0.001_{-0.014}^{+0.010} \text{ (stat)} \quad \pm 0.008 \text{ (syst) rad} \\ \Delta\phi_{s,\perp}^{J/\psi\phi} &= 0.003_{-0.014}^{+0.010} \text{ (stat)} \quad \pm 0.008 \text{ (syst) rad} \end{aligned}$$

[JHEP 11 (2015) 082]




Precision of ~10 mrad

To be compared with the current precision of HFLAV of **21 mrad**

Fundamental to **update these analyses**, expected sensitivity at **300/fb is 1.5 mrad** (statistically limited)

+ adding $B_s^0 \rightarrow J/\psi\omega$ and $B^0 \rightarrow J/\psi\phi$ (E + PA diagrams only)

Conclusions and remarks

- Interest in precision flavour measurements is stronger than ever
  If no direct evidence of NP pops out of the LHC, flavour physics can play a key role.

- All results in this sector in **good agreement with SM**, need to go to even **higher precision**: x2 statistics already available in Run 2.

- **Good prospects for the precision measurements in the Upgrade phase of LHCb**. Considering all modes:

$$300/\text{fb}: \sigma^{STAT}(\varphi_s) \sim 3 \text{ mrad}$$

statistically limited.





BACKUP

"And if someone dares to yawn during your presentation, this pointer easily transforms from a laser to a taser!"

Historical record of indirect discoveries

GIM Mechanism

Observed branching ratio $K^0 \rightarrow \mu\mu$

$$\frac{BR(K_L \rightarrow \mu^+\mu^-)}{BR(K_L \rightarrow all)} = (7.2 \pm 0.5) \cdot 10^{-9}$$

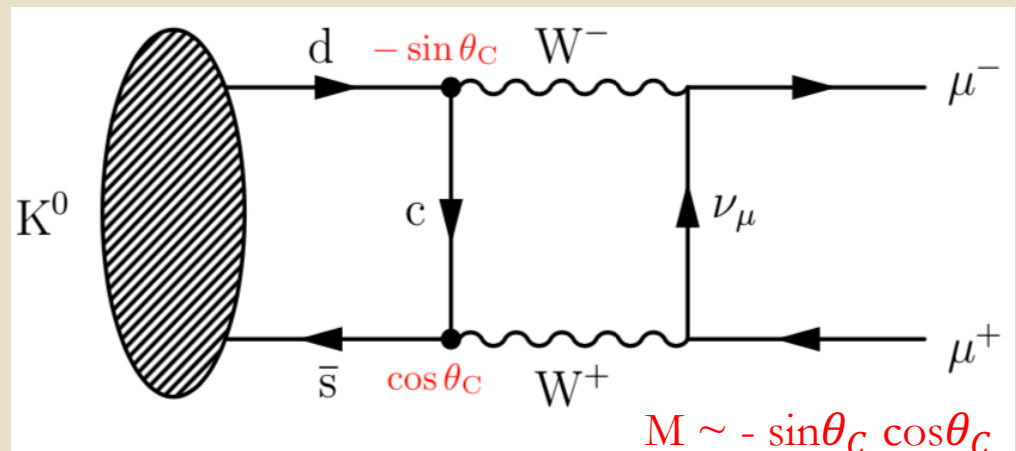
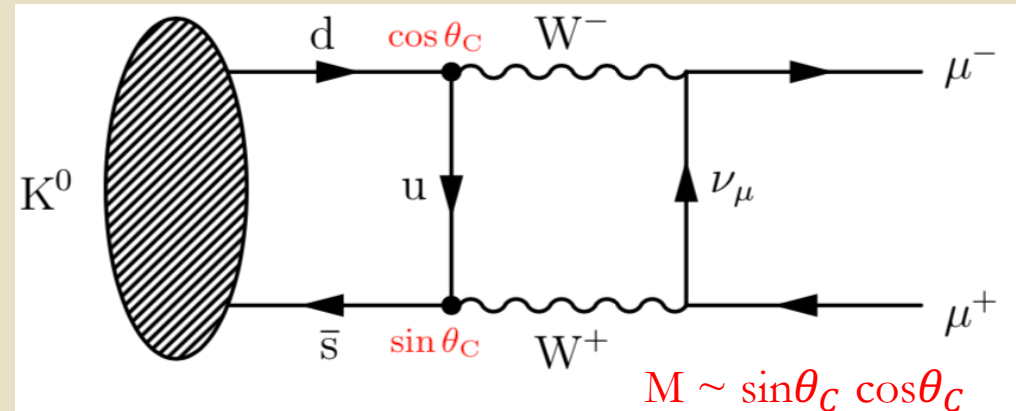
In contradiction with theoretical expectation in the 3-Quark Model



Glashow, Iliopoulos, Maiani (1970):

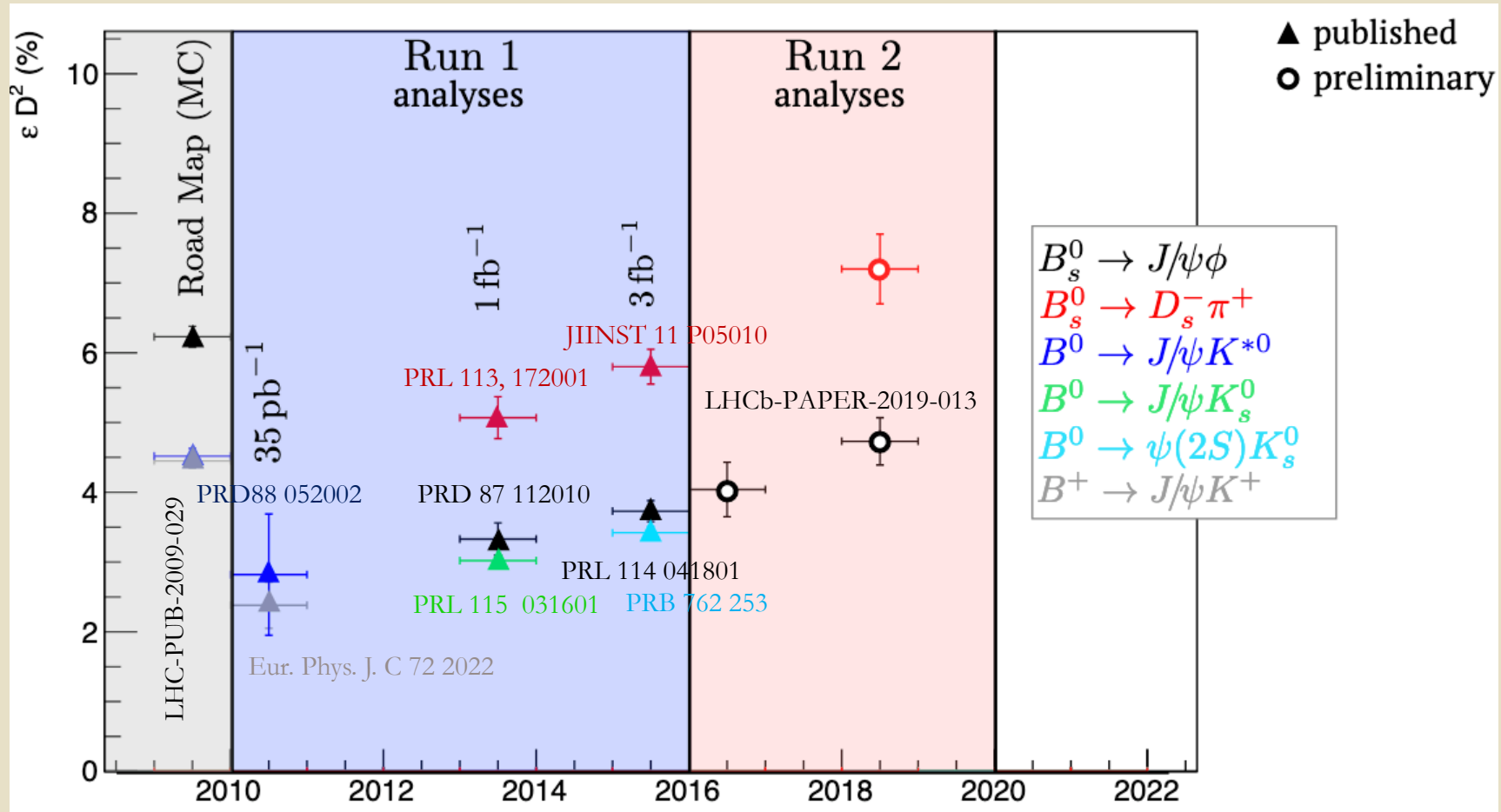
Prediction of a 2nd up-type quark (1972), additional Feynman graph cancels the «u box graph»

But also e.g. CPV $K^0 \rightarrow \pi\pi$ that brought to CKM and 3rd generation, B mixing that brought to top mass extrapolation



Flavour tagging - references

Courtesy of S. Akar



Fit projections $B_S^0 \rightarrow J/\psi KK$

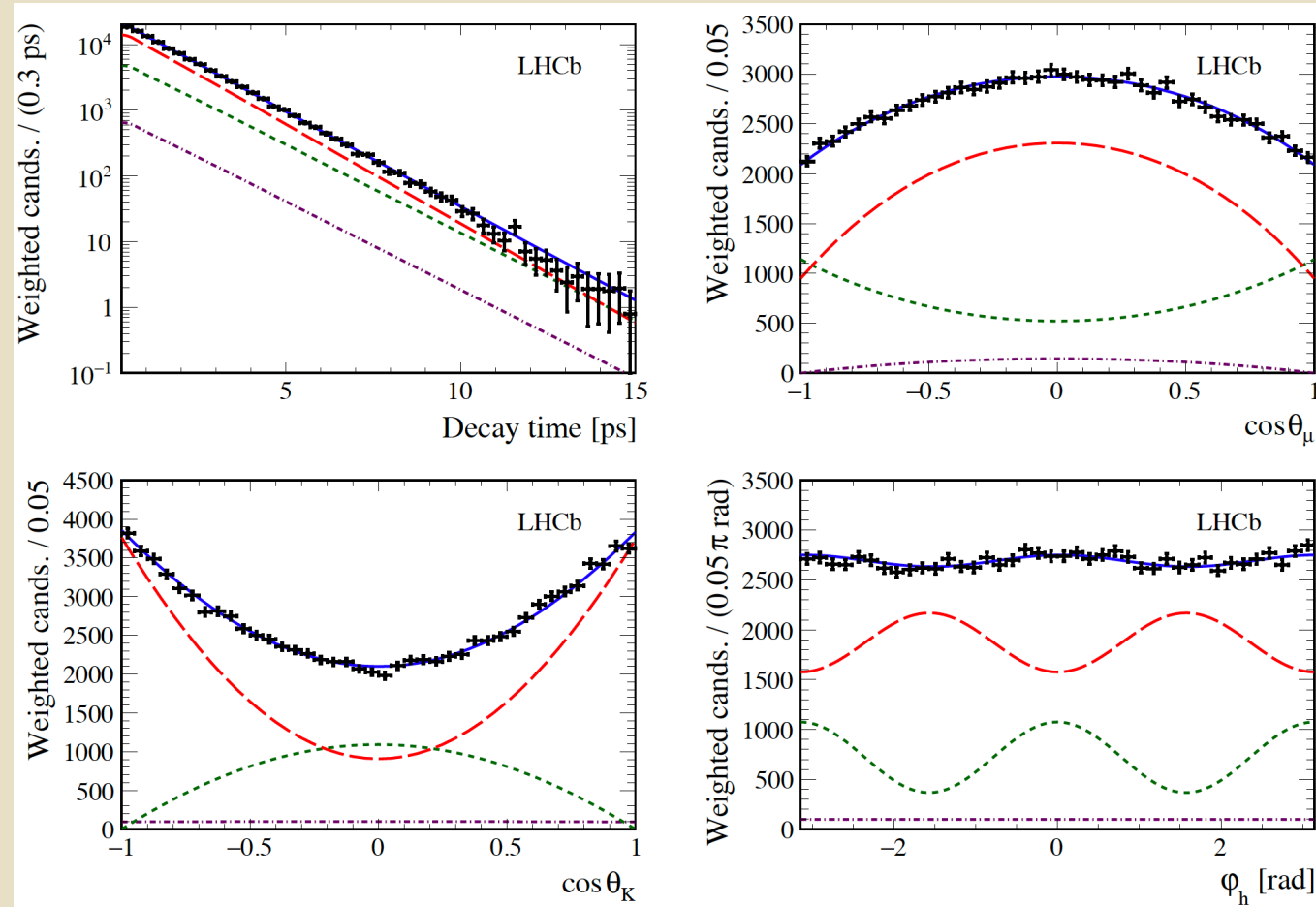


Table 4: Parameter estimates for the nominal fit. The first uncertainty is statistical and the second systematic.

Parameter	Value
ϕ_s [rad]	$-0.080 \pm 0.041 \pm 0.006$
$ \lambda $	$1.006 \pm 0.016 \pm 0.006$
$\Gamma_s - \Gamma_d$ [ps^{-1}]	$-0.0041 \pm 0.0024 \pm 0.0015$
$\Delta\Gamma_s$ [ps^{-1}]	$0.0772 \pm 0.0077 \pm 0.0026$
Δm_s [ps^{-1}]	$17.705 \pm 0.059 \pm 0.018$
$ A_\perp ^2$	$0.2457 \pm 0.0040 \pm 0.0019$
$ A_0 ^2$	$0.5186 \pm 0.0029 \pm 0.0024$
$\delta_\perp - \delta_0$	$2.64 \pm 0.13 \pm 0.10$
$\delta_\parallel - \delta_0$	$3.061^{+0.084}_{-0.073} \pm 0.037$

Table 5: The correlation matrix including the statistical and systematic correlations between the parameters.

	ϕ_s	$ \lambda $	$\Gamma_s - \Gamma_d$	$\Delta\Gamma_s$	Δm_s	$ A_\perp ^2$	$ A_0 ^2$	δ_\perp	δ_\parallel
ϕ_s	1.00	0.16	-0.05	0.02	0.01	-0.03	0.00	0.04	-0.01
$ \lambda $		1.00	0.06	-0.09	0.07	0.05	-0.02	0.09	0.02
$\Gamma_s - \Gamma_d$			1.00	-0.46	0.07	0.35	-0.24	0.04	0.05
$\Delta\Gamma_s$				1.00	-0.06	-0.65	0.46	-0.10	-0.02
Δm_s					1.00	0.01	0.01	0.61	-0.00
$ A_\perp ^2$						1.00	-0.64	0.07	0.09
$ A_0 ^2$							1.00	-0.03	-0.02
δ_\perp								1.00	0.24
δ_\parallel									1.00

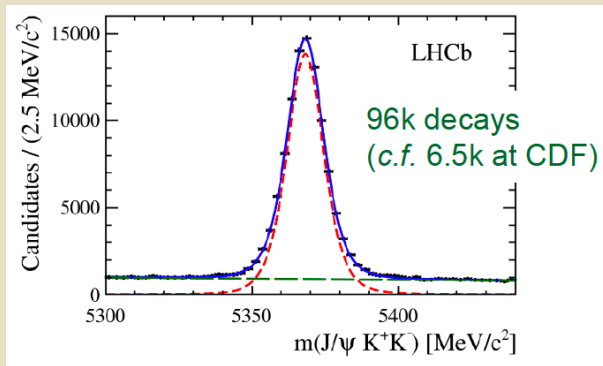
FULL LIST OF FITTED VARIABLES $B_S^0 \rightarrow J/\psi KK$

LHCb in the φ_s game

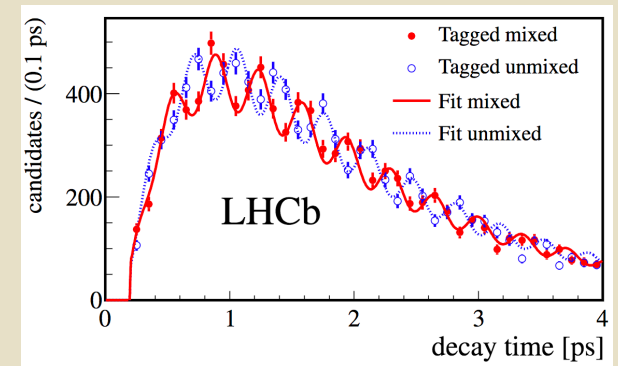
LHCb optimised with φ_s as a key goal. In particular it brings to the game:

High signal yields and high purity

[PRL 114 (2015) 041801]



Excellent decay-time resolution

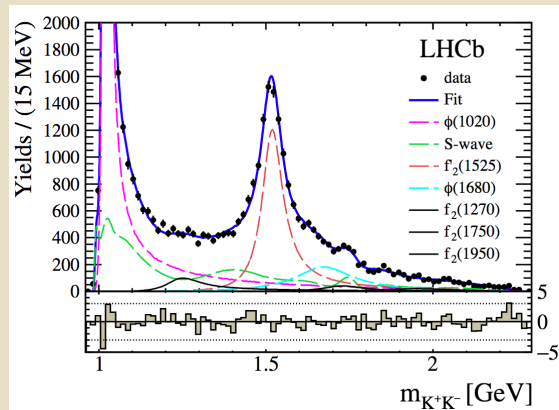


[New J. Phys. 15 (2013) 053021]

And in addition new modes and analysis techniques:

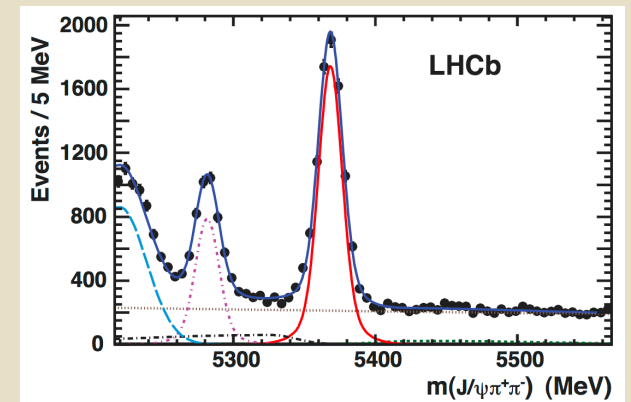
Inclusion of $J/\psi KK$ decays above the φ

[JHEP 08 (2017) 037]



Inclusion of $J/\psi\pi\pi$ decays:
Simpler analysis wrt $J/\psi\varphi$

[PLB 713 (2012) 378]



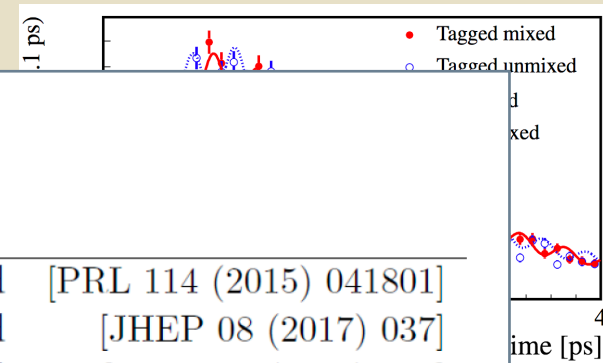
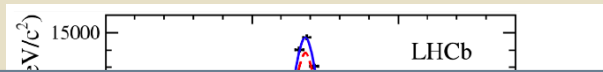
LHCb entered the game

LHCb optimised with φ_s as a key goal. In particular it brings to the game:

Enormous signal yields

Excellent proper time resolution

[PRL 114 (2015) 041801]



[New J. Phys. 15 (2013) 053021]

LHCb Run I results:

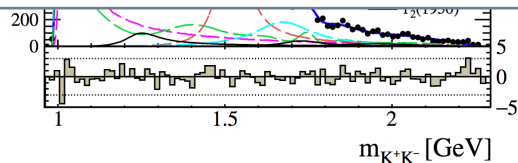
$J/\psi K^+ K^-$ in ϕ region	$-58 \pm 49 \pm 6$ mrad	[PRL 114 (2015) 041801]
$J/\psi K^+ K^-$ in high mass $K^+ K^-$ region	$119 \pm 107 \pm 34$ mrad	[JHEP 08 (2017) 037]
$J/\psi \pi^+ \pi^-$	$70 \pm 68 \pm 8$ mrad	[PLB 713 (2012) 378]
Overall	1 ± 37 mrad	

Other measurements:

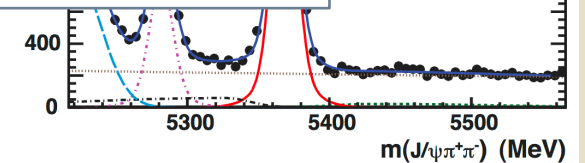
$\psi(2S)\phi$	$230_{-280}^{+290} \pm 20$ mrad	[PRL B762 (2016) 253]
$D_s^+ D_s^-$	$20 \pm 170 \pm 20$ mrad	[PRL 113 (2014) 211801]

And in add

Inclusion of J/ψ decays above the



analysis



[JHEP 08 (2017) 037]

[PLB 713 (2012) 378]

ATLAS systematics

Table 5: Summary of systematic uncertainties assigned to the physical parameters of interest.

	ϕ_s [rad]	$\Delta\Gamma_s$ [ps ⁻¹]	Γ_s [ps ⁻¹]	$ A_{\parallel}(0) ^2$	$ A_0(0) ^2$	$ A_S(0) ^2$	δ_{\perp} [rad]	δ_{\parallel} [rad]	$\delta_{\perp} - \delta_S$ [rad]
Tagging	1.7×10^{-2}	0.4×10^{-3}	0.3×10^{-3}	0.2×10^{-3}	0.2×10^{-3}	2.3×10^{-3}	1.9×10^{-2}	2.2×10^{-2}	2.2×10^{-3}
Acceptance	0.7×10^{-3}	$< 10^{-4}$	$< 10^{-4}$	0.8×10^{-3}	0.7×10^{-3}	2.4×10^{-3}	3.3×10^{-2}	1.4×10^{-2}	2.6×10^{-3}
ID alignment	0.7×10^{-3}	0.1×10^{-3}	0.5×10^{-3}	$< 10^{-4}$	$< 10^{-4}$	$< 10^{-4}$	1.0×10^{-2}	7.2×10^{-3}	$< 10^{-4}$
S-wave phase	0.2×10^{-3}	$< 10^{-4}$	$< 10^{-4}$	0.3×10^{-3}	$< 10^{-4}$	0.3×10^{-3}	1.1×10^{-2}	2.1×10^{-2}	8.3×10^{-3}
Background angles model:									
Choice of fit function	1.8×10^{-3}	0.8×10^{-3}	$< 10^{-4}$	1.4×10^{-3}	0.7×10^{-3}	0.2×10^{-3}	8.5×10^{-2}	1.9×10^{-1}	1.8×10^{-3}
Choice of p_T bins	1.3×10^{-3}	0.5×10^{-3}	$< 10^{-4}$	0.4×10^{-3}	0.5×10^{-3}	1.2×10^{-3}	1.5×10^{-3}	7.2×10^{-3}	1.0×10^{-3}
Choice of mass interval	0.4×10^{-3}	0.1×10^{-3}	0.1×10^{-3}	0.3×10^{-3}	0.3×10^{-3}	1.3×10^{-3}	4.4×10^{-3}	7.4×10^{-3}	2.3×10^{-3}
Dedicated backgrounds:									
B_d^0	2.3×10^{-3}	1.1×10^{-3}	$< 10^{-4}$	0.2×10^{-3}	3.1×10^{-3}	1.4×10^{-3}	1.0×10^{-2}	2.3×10^{-2}	2.1×10^{-3}
Λ_b	1.6×10^{-3}	0.4×10^{-3}	0.2×10^{-3}	0.5×10^{-3}	1.2×10^{-3}	1.8×10^{-3}	1.4×10^{-2}	2.9×10^{-2}	0.8×10^{-3}
Fit model:									
Time res. sig frac	1.4×10^{-3}	1.1×10^{-3}	$< 10^{-4}$	0.5×10^{-3}	0.6×10^{-3}	0.6×10^{-3}	1.2×10^{-2}	3.0×10^{-2}	0.4×10^{-3}
Time res. p_T bins	3.3×10^{-3}	1.4×10^{-3}	0.1×10^{-2}	$< 10^{-4}$	$< 10^{-4}$	0.5×10^{-3}	6.2×10^{-3}	5.2×10^{-3}	1.1×10^{-3}
Total	1.8×10^{-2}	0.2×10^{-2}	0.1×10^{-2}	0.2×10^{-2}	0.4×10^{-2}	0.4×10^{-2}	9.7×10^{-2}	2.0×10^{-1}	0.1×10^{-1}

Penguin pollution roadmap

- With increasing precision crucial to understand penguin pollution
- Can use U-spin and SU(3) related modes, where penguin not suppressed, to determine its size [S. Faller, R. Fleischer, M. Jung, T. Mannel, arXiv:0809.0842]

Golden modes: $b \rightarrow c\bar{c}s$ amplitude ($i = 0, \parallel, \perp$)

$$A'_i(b \rightarrow c\bar{c}s) = \left(1 - \frac{\lambda^2}{2}\right) \mathcal{A}'_i \left[1 + \epsilon a'_i e^{i\theta'} e^{i\gamma}\right]$$

$a'_i e^{i\theta'}$: Penguin/Tree ratio in $b \rightarrow c\bar{c}s$
 where $\lambda \equiv |V_{us}| \approx 0.226$, $\epsilon \equiv \frac{\lambda^2}{1-\lambda^2} \approx 0.054$, γ unitarity triangle angle.

Control modes: $b \rightarrow c\bar{c}d$ amplitude

$$A_i(b \rightarrow c\bar{c}d) = -\lambda \mathcal{A}_i \left[1 + a_i e^{i\theta} e^{i\gamma}\right]$$

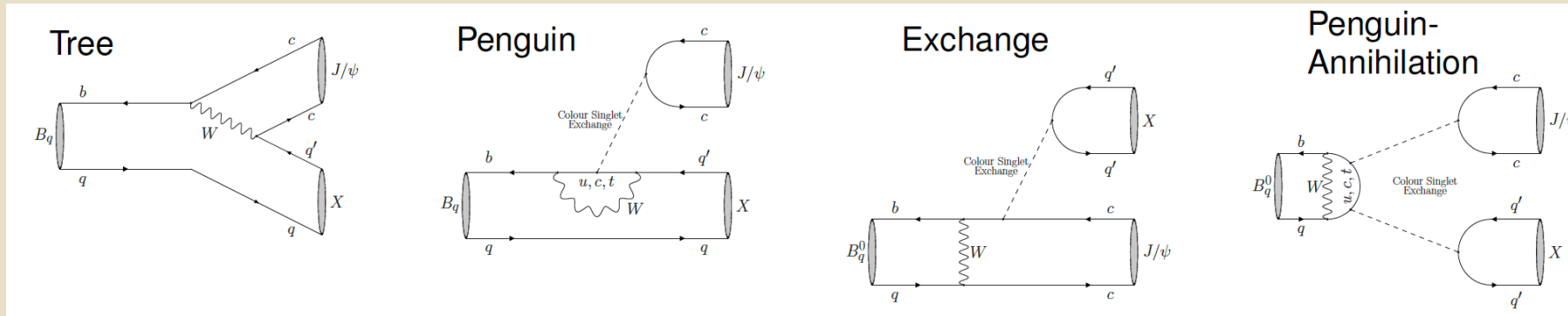
$a_i e^{i\theta}$: Penguin/Tree ratio in $b \rightarrow c\bar{c}d$

Overall λ factor, BF is suppressed

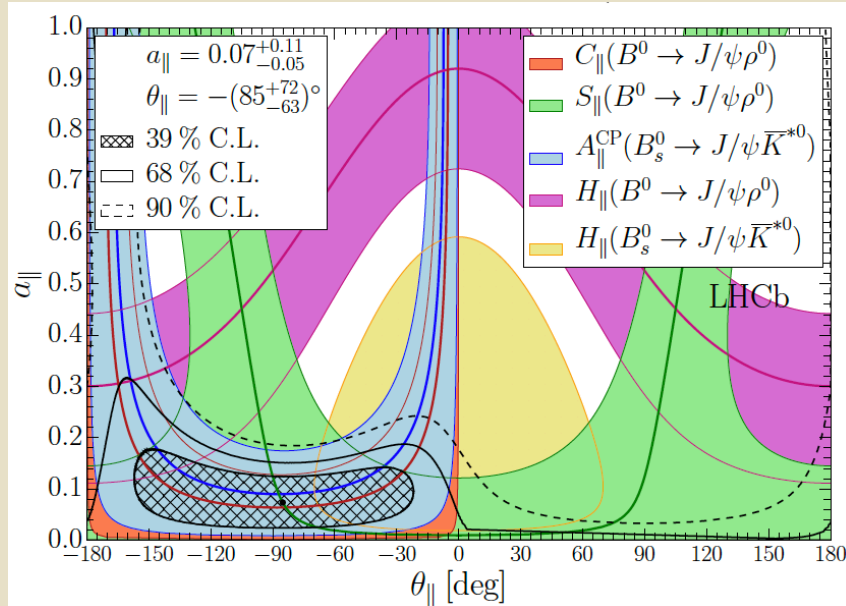
Absence of ϵ , penguin effects are magnified.

SU(3): $a'_i = a_i, \theta'_i = \theta_i$. Extract $\Delta\varphi_s^{\text{peng}}(a_i, \theta_i)$ and $\Delta\beta^{\text{peng}}(a_i, \theta_i)$ from t to CP parameters and BF.

Penguin pollution roadmap φ_s



De Bruyn, Fleischer, JHEP 03 (2015) 145



Studied at LHCb with 3 fb^{-1} :

- $B^0 \rightarrow J/\psi \rho$ (BF, C and S) [JHEP11(2015)082]
- $B_s^0 \rightarrow J/\psi K^{*0}$ (BF and C), has no PA and E [PLB742(2015)38-49]

Measure penguin phase shift for each polarisation state, $f \in (0, \perp, \parallel, S)$ [JHEP 11 (2015) 082]

$$\Delta\phi_{s,0}^{J/\psi\phi} = 0.000^{+0.009}_{-0.011} \text{ (stat)} \quad {}^{+0.004}_{-0.009} \text{ (syst)} \text{ rad}$$

$$\Delta\phi_{s,\parallel}^{J/\psi\phi} = 0.001^{+0.010}_{-0.014} \text{ (stat)} \pm 0.008 \text{ (syst)} \text{ rad}$$

$$\Delta\phi_{s,\perp}^{J/\psi\phi} = 0.003^{+0.010}_{-0.014} \text{ (stat)} \pm 0.008 \text{ (syst)} \text{ rad}$$

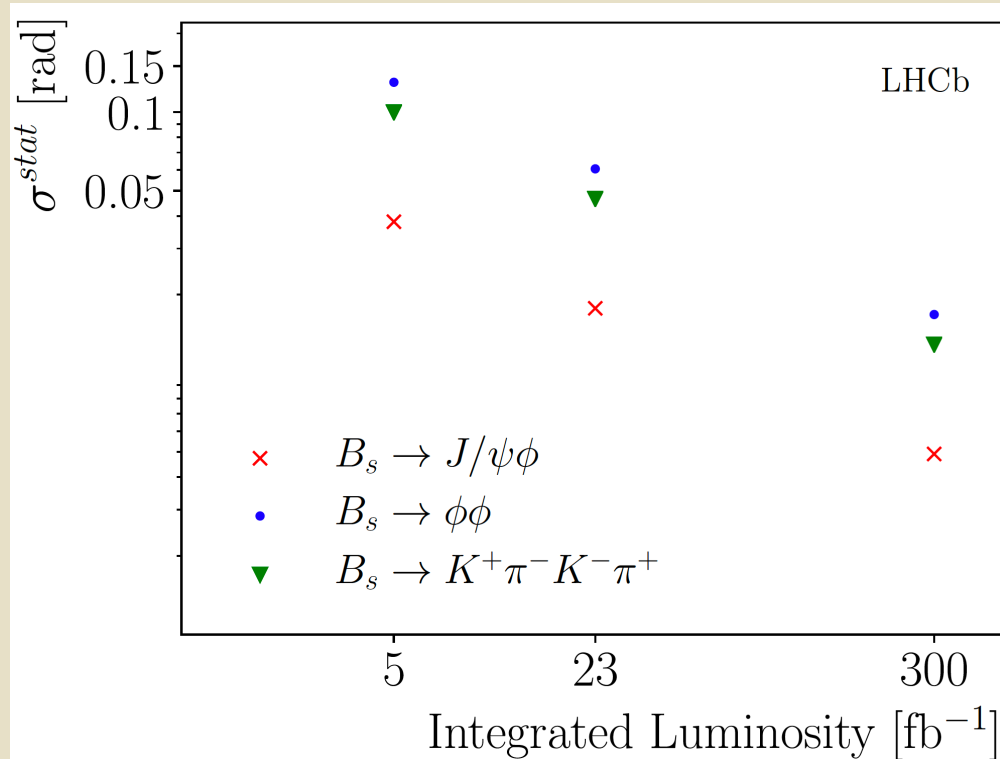
Small penguin shift $\sim 0.06^\circ$
wrt experimental precision
 $\sigma(\varphi_s) \sim 1.7^\circ!!$

Side note: φ_S from penguin decays

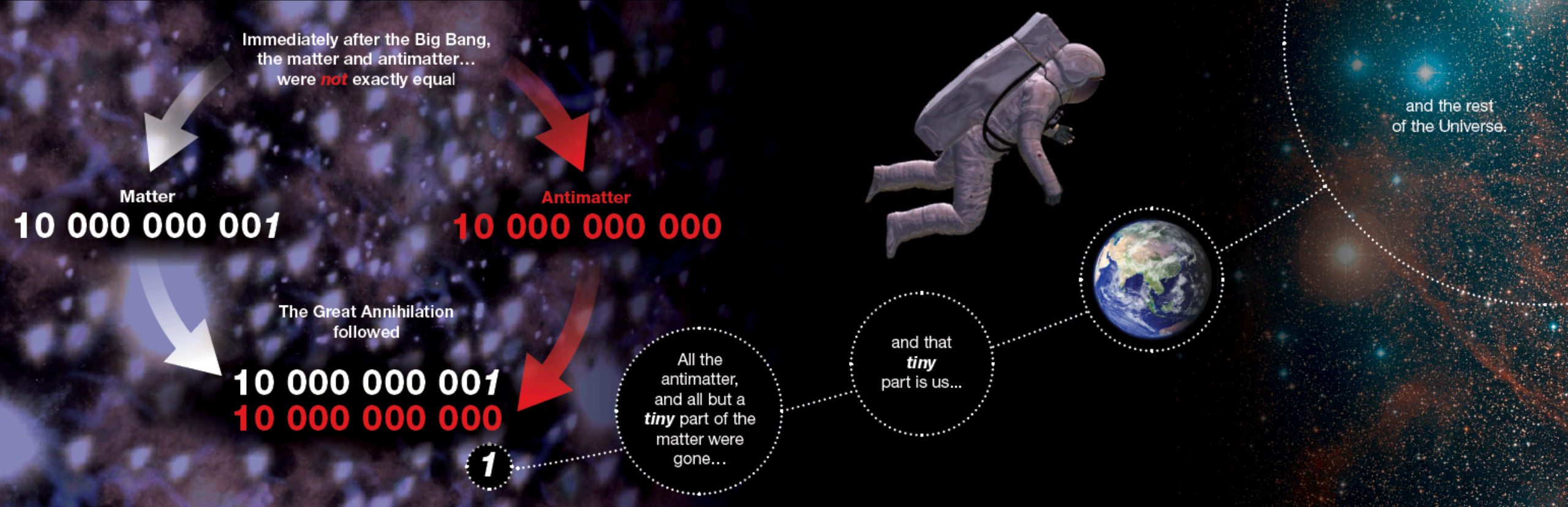
- Include gain in trigger after Upgrade 1

300/fb: $\sigma^{STAT}(\varphi_S) \sim \mathbf{11}$ mrad from $B_S^0 \rightarrow \phi\phi$
300/fb: $\sigma^{STAT}(\varphi_S) \sim \mathbf{9}$ mrad from $B_S^0 \rightarrow K\pi K\pi$

- $B_S^0 \rightarrow \phi\phi$ will remain stat. limited
- Limiting syst for $B_S^0 \rightarrow K\pi K\pi < 30$ mrad from MC (important to exploit rapid MC production) and modelling resonances.



[LHCB-PUB-2018-009]



Sakharov Conditions

[A. D. Sakharov, JETP Lett.5, 24 (1967)]

[Rev. Mod. Phys. 88, 015004 (2016)]

1. Baryon Number Violation
2. **C and CP violation**
3. Interactions out of thermal equilibrium

- Baryon asymmetry of the Universe: $n_b/n_\gamma \sim 10^{-10}$
- CP violation in the SM does not account for it
- There must be **New Physics** and **new sources of CP violation**